



Dark Matter

I. Theory and Candidates

II. Direct and Indirect Searches

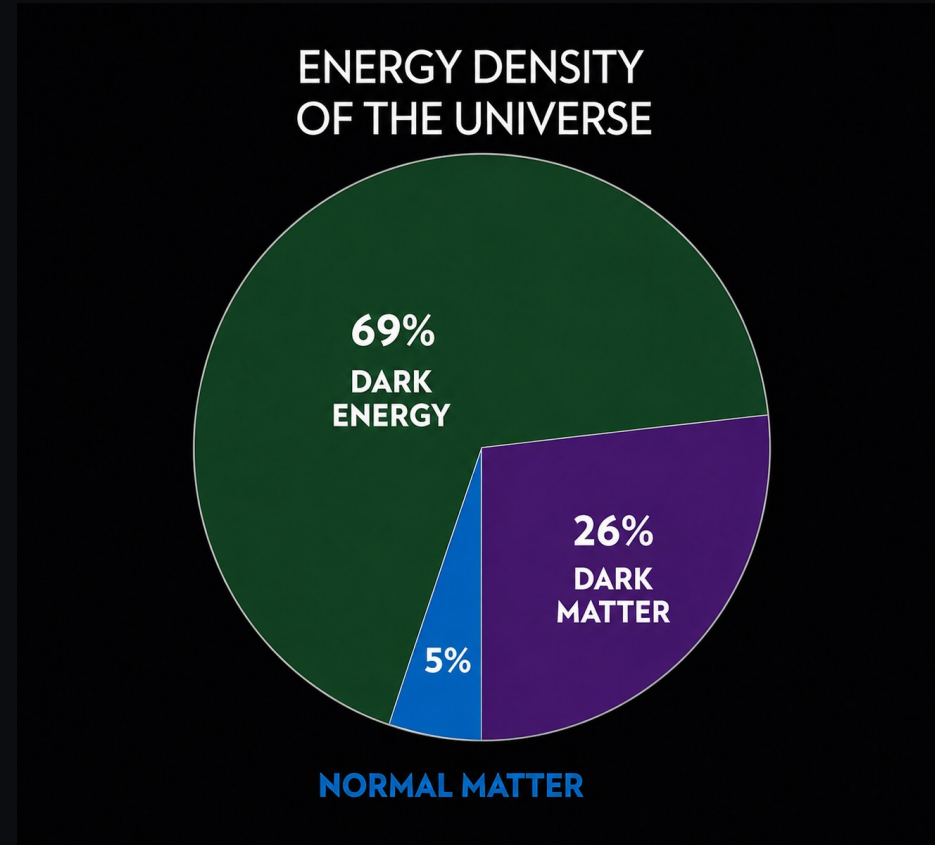
Carlos E. Yaguna
UPTC, Colombia

What is our Universe made of?

Ordinary matter is just 5%

The rest (95%) is dark

5 times more dark matter
than normal matter



And yet the microscopic nature of dark matter is still unknown

Ordinary matter

Atoms, mostly H
and He



Quarks, gluons,
electrons, etc

And yet the microscopic nature of dark matter is still unknown

Ordinary matter

Dark matter

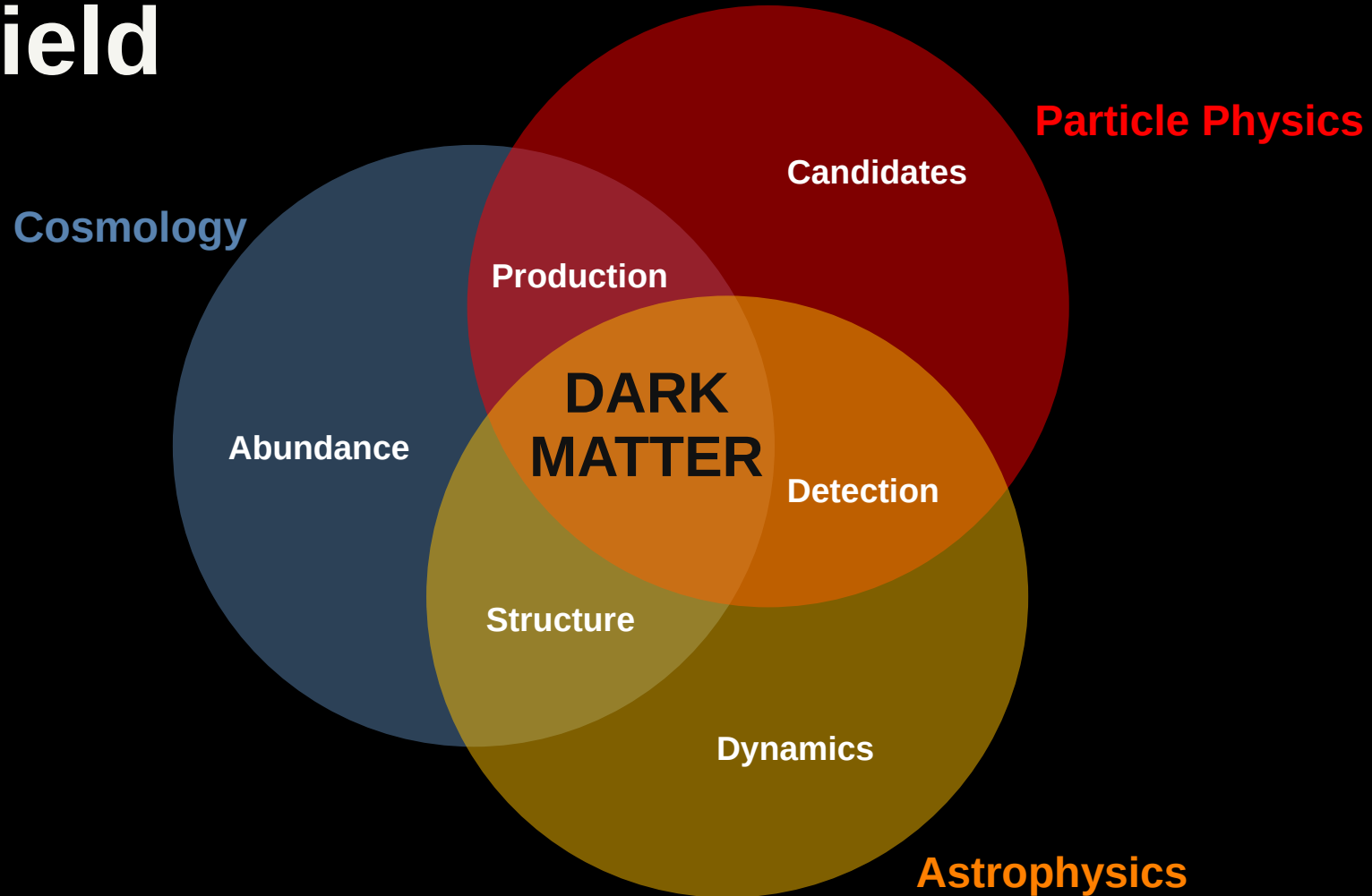
Atoms, mostly H
and He



Quarks, gluons,
electrons, etc



DM research is a multidisciplinary and active field



Dark matter is a discovery opportunity for the next generation

A fundamental mystery

A bridge between fields

A broad research frontier

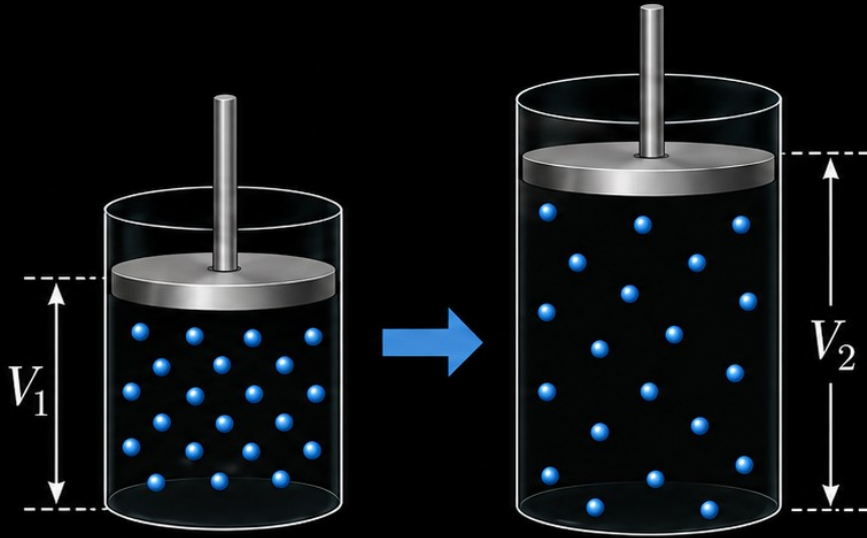
PhD students can enter this field from many directions

By the end of this lecture, YOU will be able to answer these questions

- 1. What is dark matter?**
- 2. Why do we need it?**
- 3. What makes a particle viable as dark matter?**
- 4. Why are WIMPs a classic benchmark?**
- 5. How can minimal WIMP models be built?**

Dark matter and dark energy are completely different

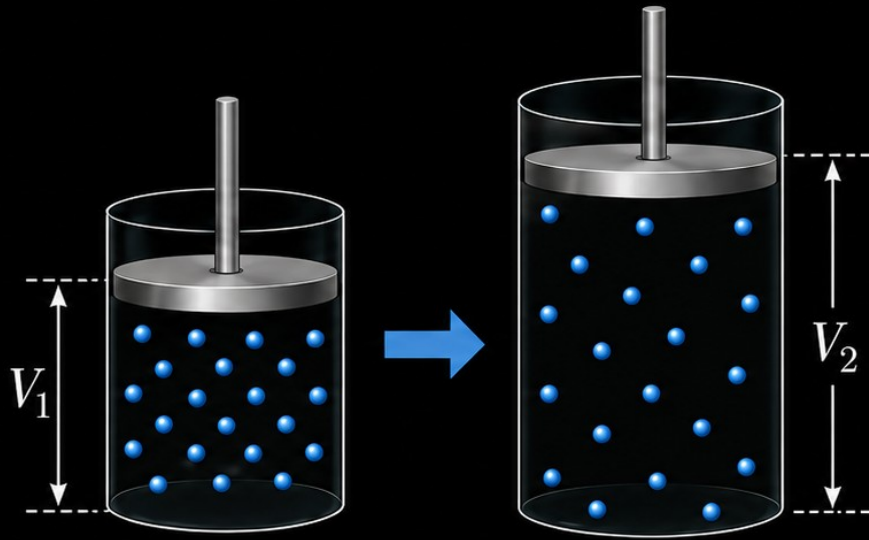
Dark Matter



$$\rho_1 > \rho_2$$

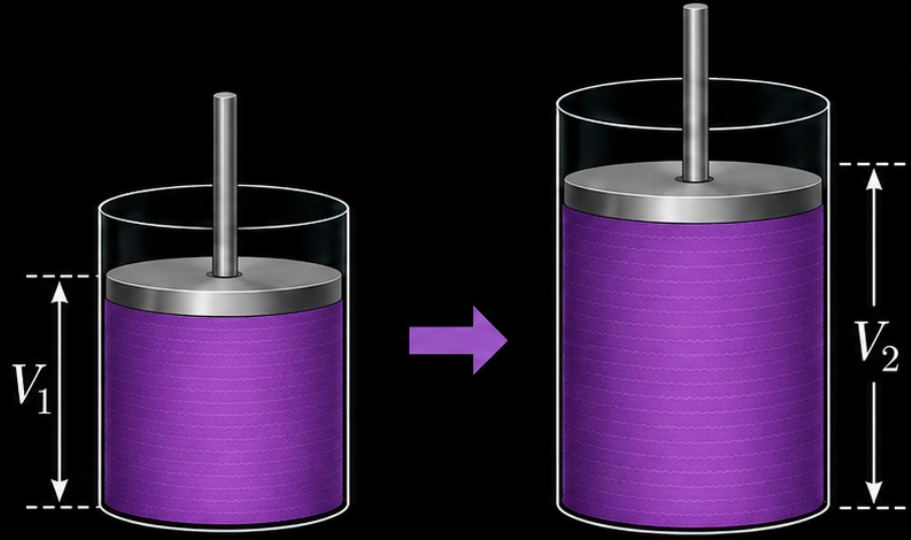
Dark matter and dark energy are completely different

Dark Matter



$$\rho_1 > \rho_2$$

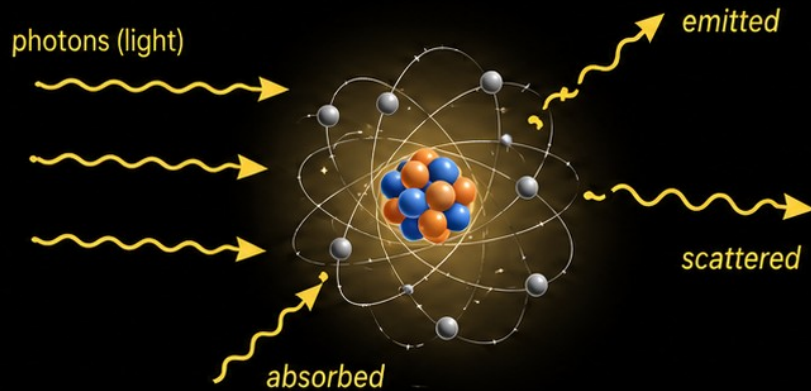
Dark Energy (Λ)



$$\rho_1 = \rho_2$$

Dark matter does not emit, absorb, or scatter light appreciably

Ordinary matter



couples to light
emits / absorbs / scatters

Dark matter



essentially transparent to light
no appreciable electromagnetic interaction

We will use multiple-choice questions to check our understanding

Think first

Choose the best answer

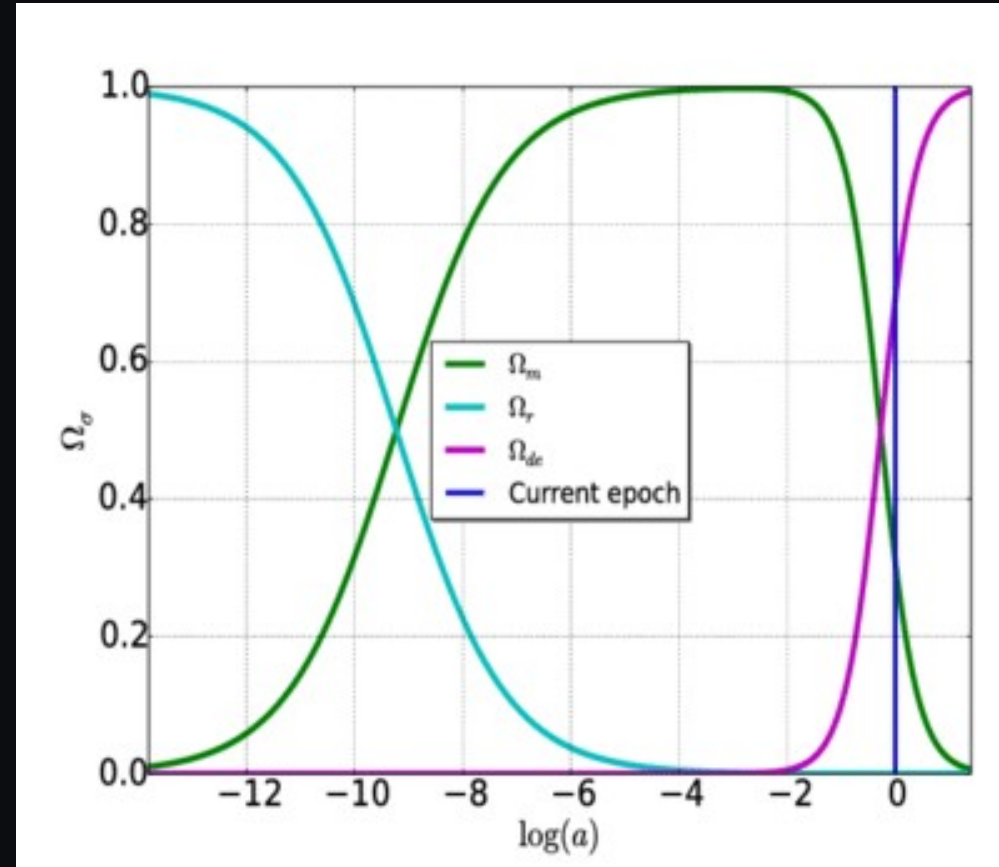
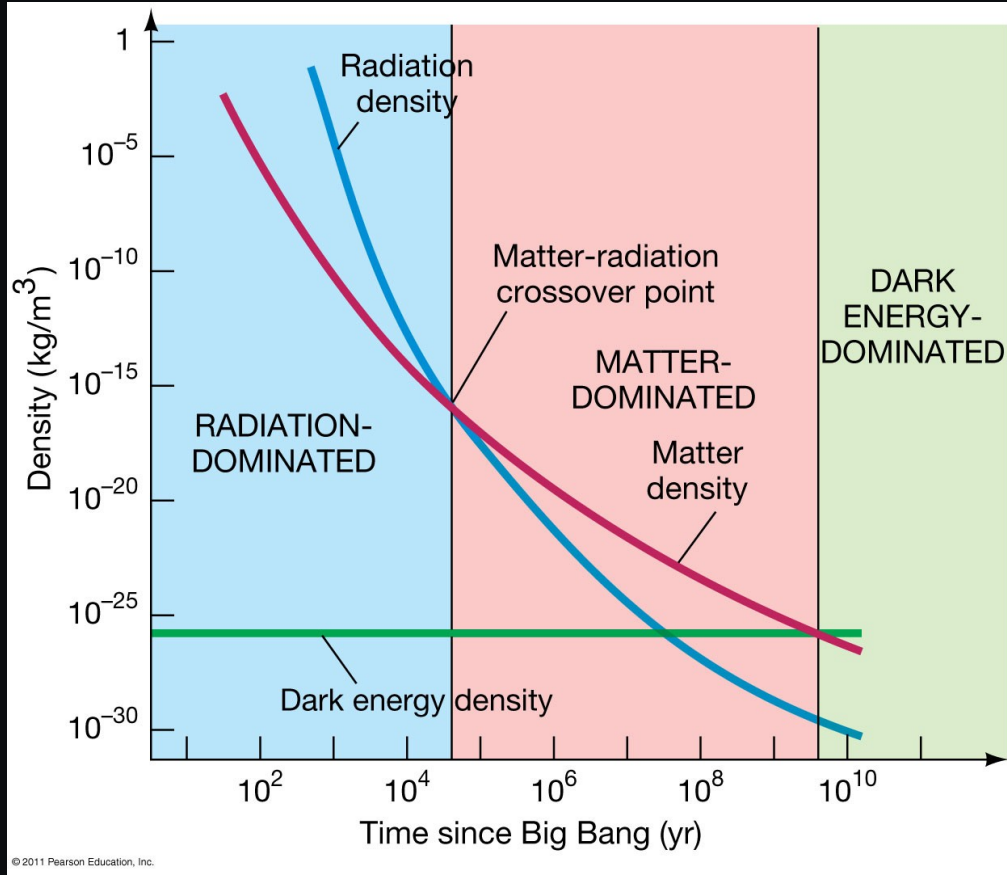
Apply the ideas

Wait for the signal

The goal is reasoning, not guessing

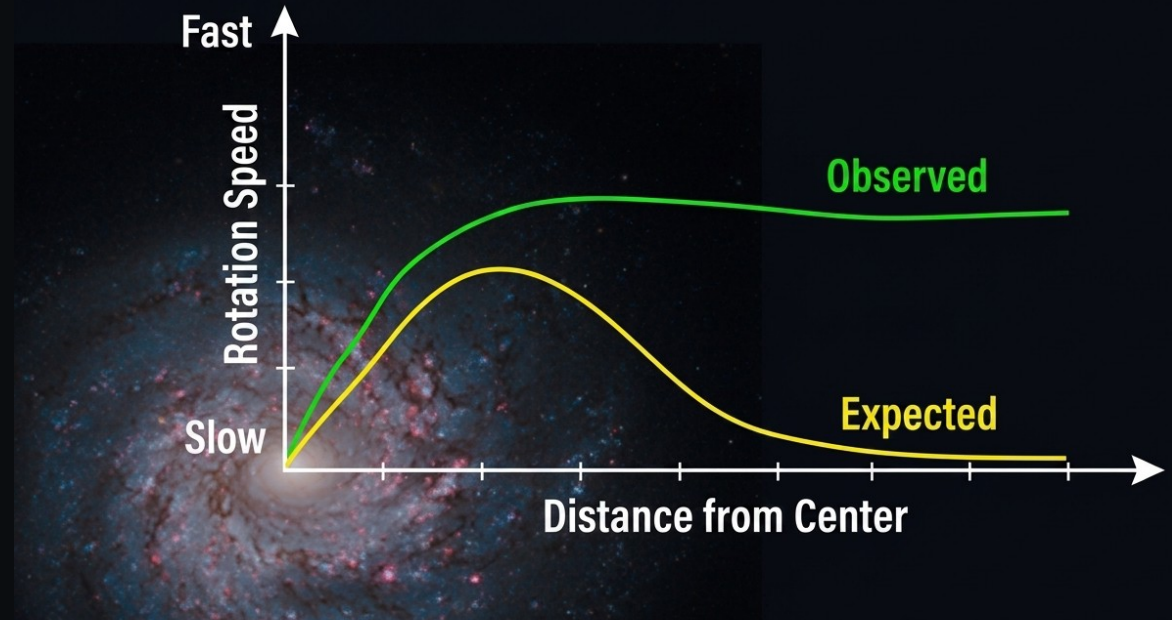
Today, dark matter and dark energy (Λ) make up about 25% and 70% of the cosmic energy budget. In the future, these fractions will be

- A. the same for both**
- B. higher for both**
- C. smaller for both**
- D. smaller for DM, the same for DE**
- E. smaller for DM, higher for DE**
- F. higher for DM, smaller for DE**



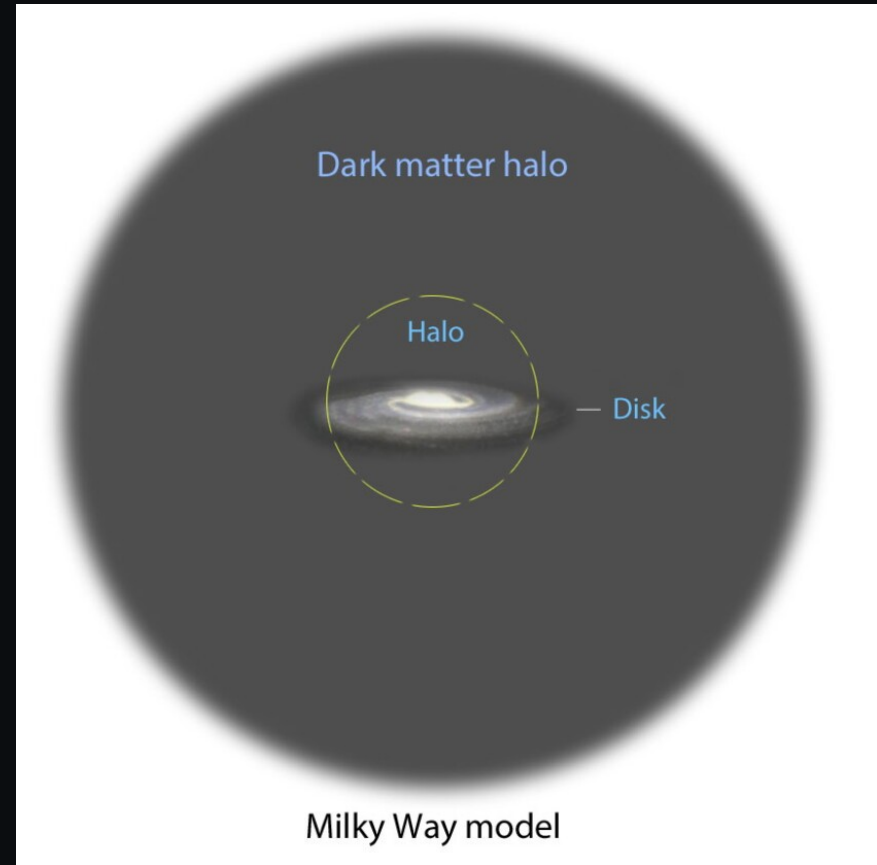
The evidence for dark matter is overwhelming

1. Galaxies



The evidence for dark matter is overwhelming

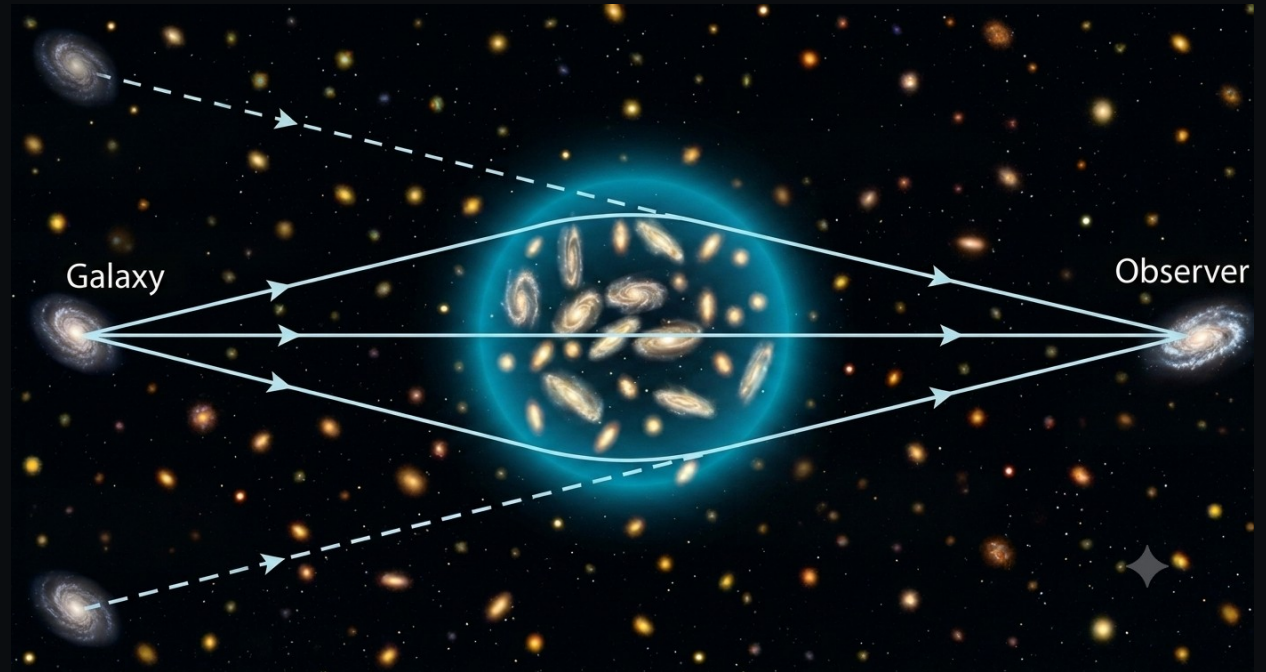
1. Galaxies



The evidence for dark matter is overwhelming

1. Galaxies

2. Clusters



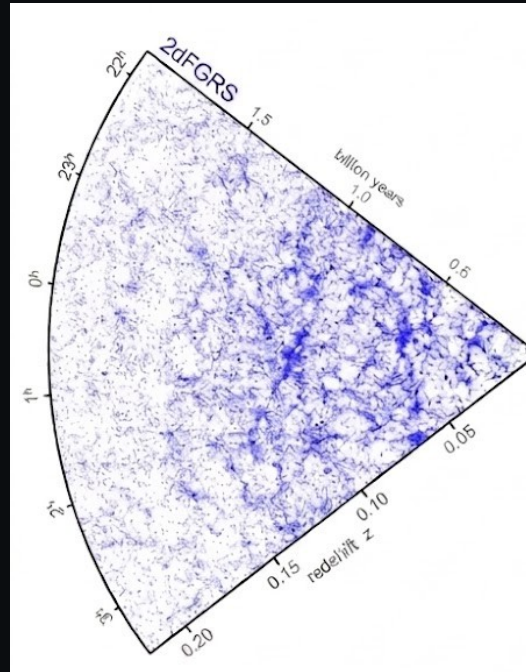
The evidence for dark matter is overwhelming

1. Galaxies

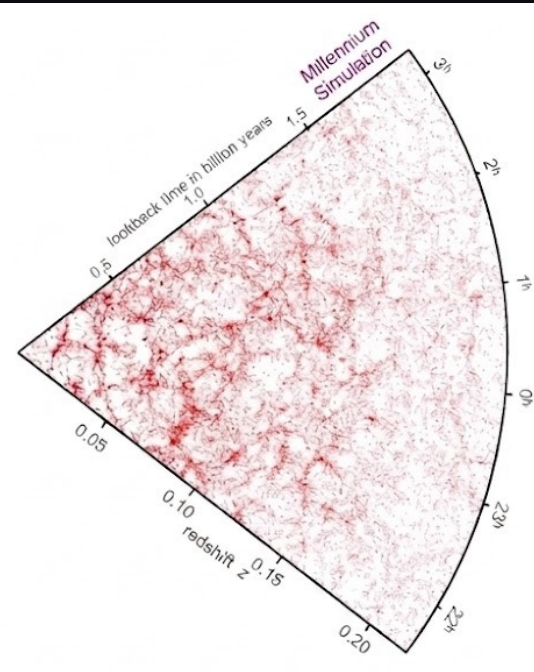
2. Clusters

3. Cosmic structure

Observations

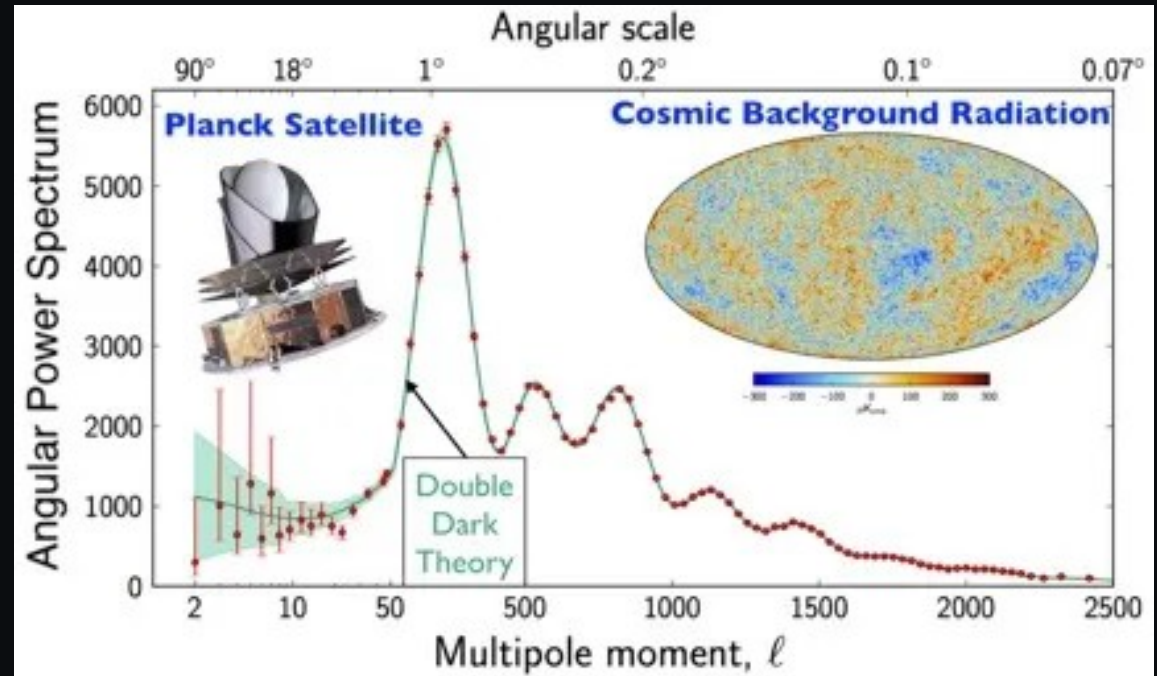


DM simulation



The evidence for dark matter is overwhelming

1. Galaxies
2. Clusters
3. Cosmic structure
4. CMB



$$\Omega_{\text{DM}} h^2 = 0.1200 \pm 0.0012.$$

The evidence for dark matter is overwhelming

1. Galaxies

2. Clusters

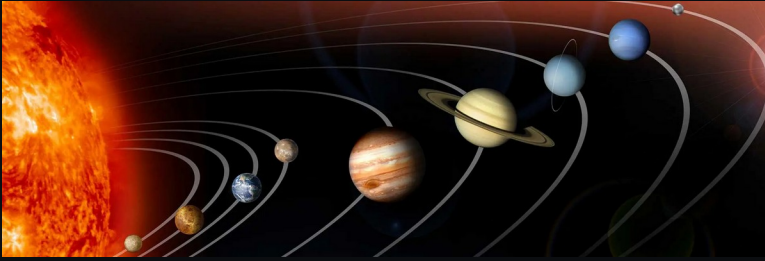
3. Cosmic structure

4. CMB



But it is all gravitational

Gravity does not reveal the physical nature of dark matter



Planetary Motion $\rightarrow M_{\text{Sun}}$

Not from gravity:

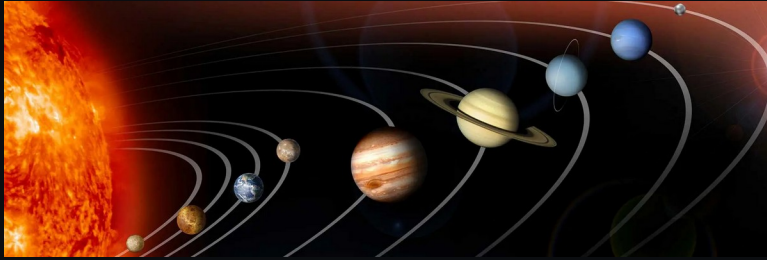
Age

Radius

Temperature

Composition

Gravity does not reveal the physical nature of dark matter



Planetary Motion $\rightarrow M_{\text{Sun}}$

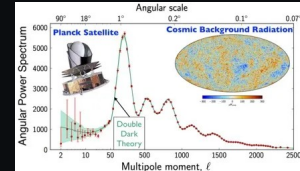
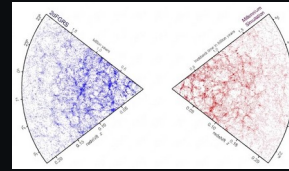
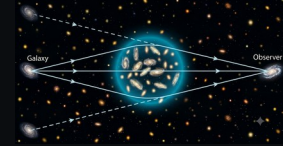
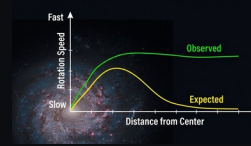
Not from gravity:

Age

Radius

Temperature

Composition



DM evidence $\rightarrow \Omega_{\text{DM}}$

Still unknown:

Origin

Mass scale

Interactions

Composition

As we saw, the orbital velocity of stars remains constant at large distances (r) from the galactic center. Assuming these stars are in circular orbits dominated by a dark matter halo, how must the enclosed mass $M(r)$ scale with r ?

A. $M(r) \propto \text{constant}$

C. $M(r) \propto 1/r$

E. $M(r) \propto 1/r^2$

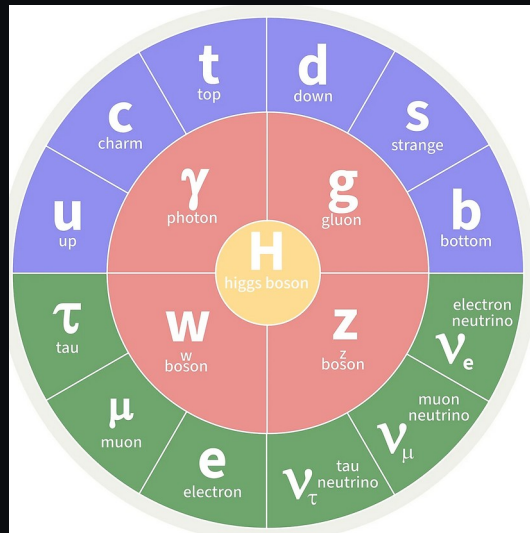
B. $M(r) \propto r$

D. $M(r) \propto r^2$

F. none of the above

The microscopic nature of dark matter is still unknown

Ordinary Matter:



Known particles and interactions

Dark Matter:

DM		$I(J^{PC}) = ?(???)$
DM MASS = $? \pm ?$		
DM WIDTH = $? \pm ?$		
Couplings to quarks and leptons		
$g_V^l = ? \pm ?$		$g_A^l = ? \pm ?$
$g_V^q = ? \pm ?$		$g_A^q = ? \pm ?$
DM DECAY MODES		
Mode		Fraction (Γ_i / Γ)
Γ_1 STABLE ?		?

Unknown physical properties

Any viable dark matter candidate must satisfy several constraints

Charge

Lifetime

Kinematics

Interactions

Abundance

Any viable dark matter candidate must satisfy several constraints

Charge

Neutral

Lifetime

Cosmologically stable

Kinematics

Cold DM

Interactions

Consistent with bounds

Abundance

$$\Omega_{\text{DM}} h^2 \approx 0.12$$

The Standard Model has no viable dark matter candidate

Most SM particles are charged or unstable

ν 's fail on kinematics and abundance

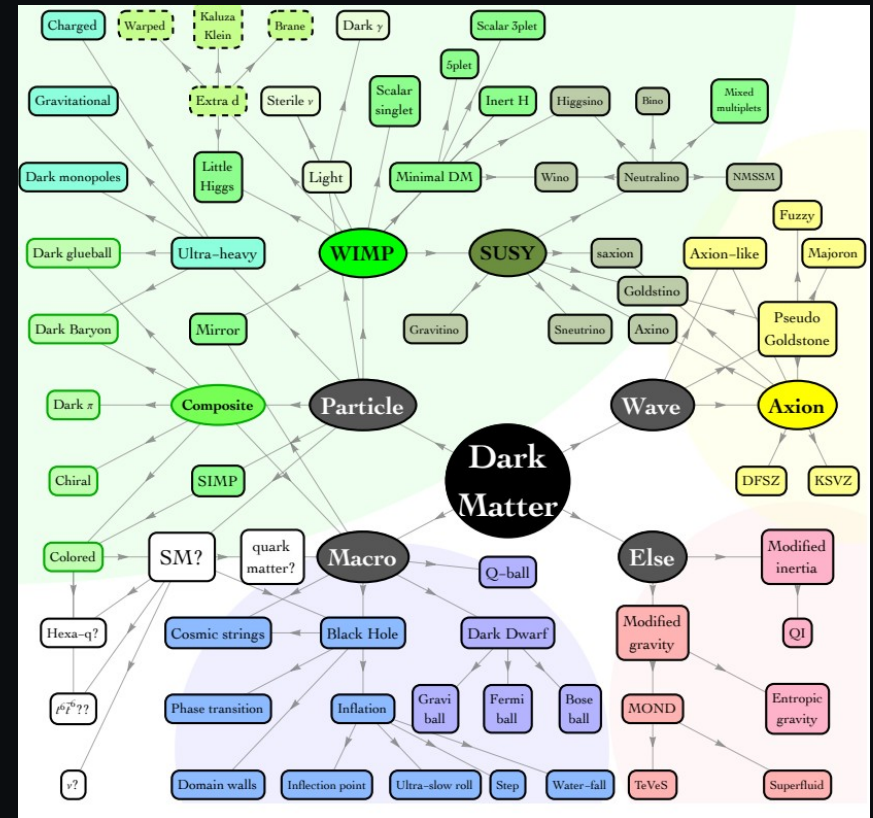


New physics is required

Hundreds of models have been proposed to explain dark matter

Dark matter is a major driver of BSM physics

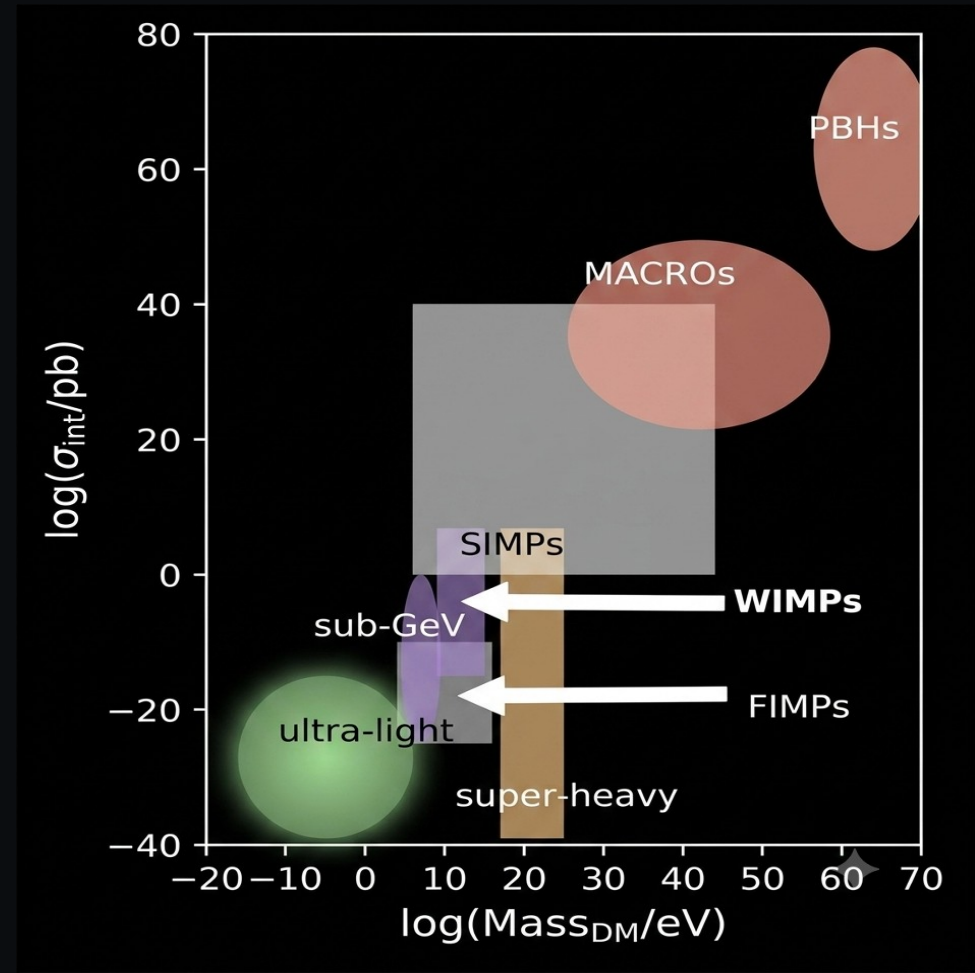
The candidate landscape keeps expanding



Dark matter candidates occupy a broad parameter space

M and σ span many orders of magnitude

Specific models work only in limited regions



**WIMPs are the classic paradigm for
particle dark matter**

WIMPs are the classic paradigm for particle dark matter

Neutral and stable

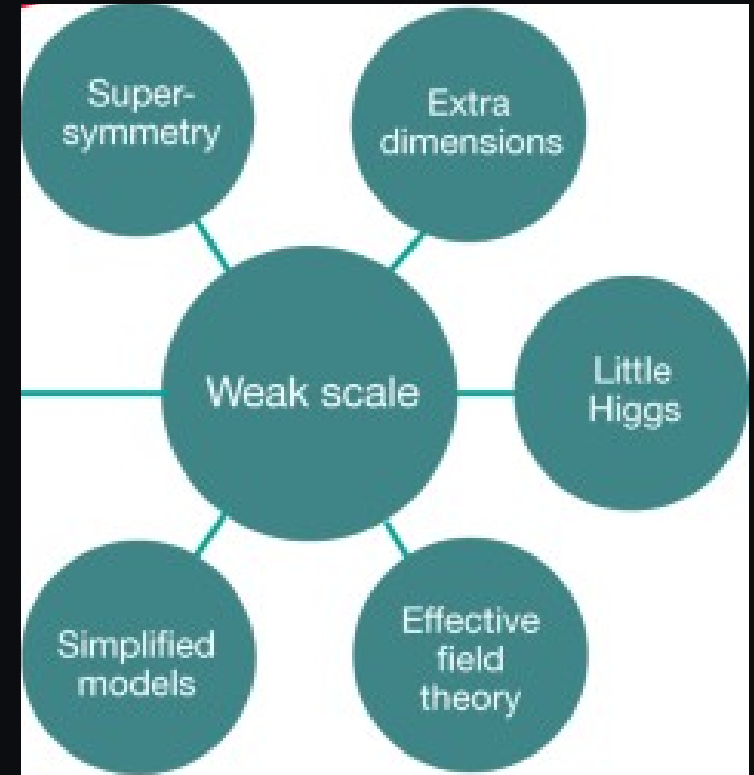
Weakly
Interacting
Massive
Particle

$$\sigma_{\text{WIMP}} \sim \sigma_{\text{Weak}}$$

$$M_{\text{WIMP}} \sim 100 \text{ GeV} - 1 \text{ TeV}$$

WIMPs are the classic paradigm for particle dark matter

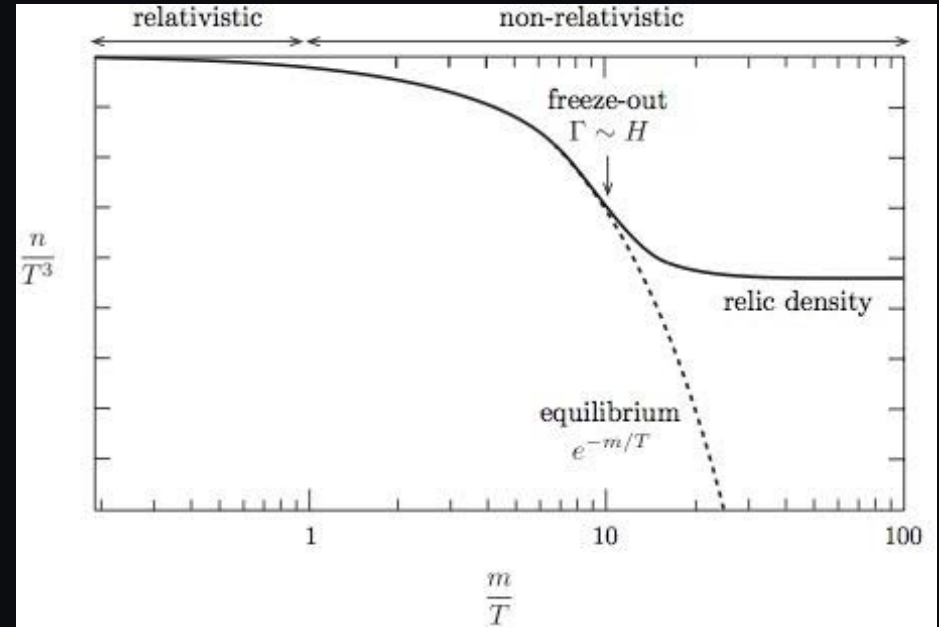
Natural in many BSM theories



WIMPs are the classic paradigm for particle dark matter

Natural in many BSM theories

Thermal origin in the early Universe

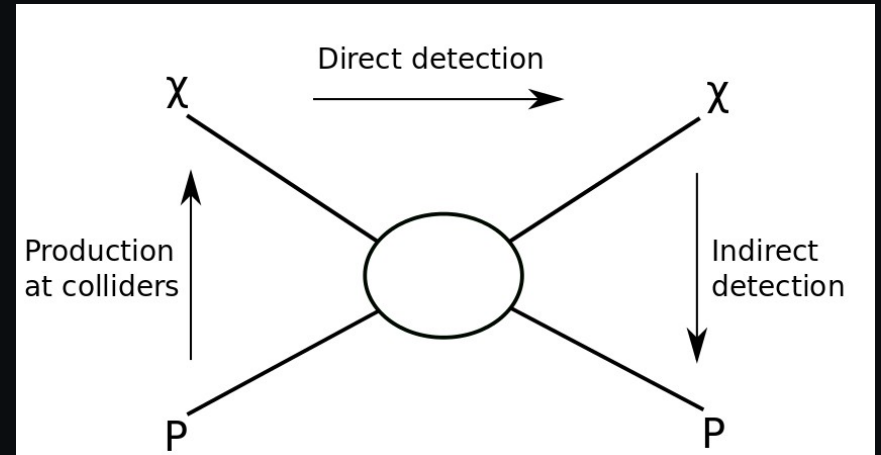


WIMPs are the classic paradigm for particle dark matter

Natural in many BSM theories

Thermal origin in the early Universe

Testable through multiple searches



Thermal freeze-out leaves a relic population of WIMPs

Equilibrium at high T:

$$\chi\bar{\chi} \leftrightarrow \text{SM} \text{SM}$$

Thermal freeze-out leaves a relic population of WIMPs

Equilibrium at high T:

$$\chi\bar{\chi} \leftrightarrow \text{SM} \overline{\text{SM}}$$

Freeze-out:

$$\Gamma_{\text{ann}} = n_{\chi} \langle \sigma v \rangle \sim H$$

Thermal freeze-out leaves a relic population of WIMPs

Equilibrium at high T:

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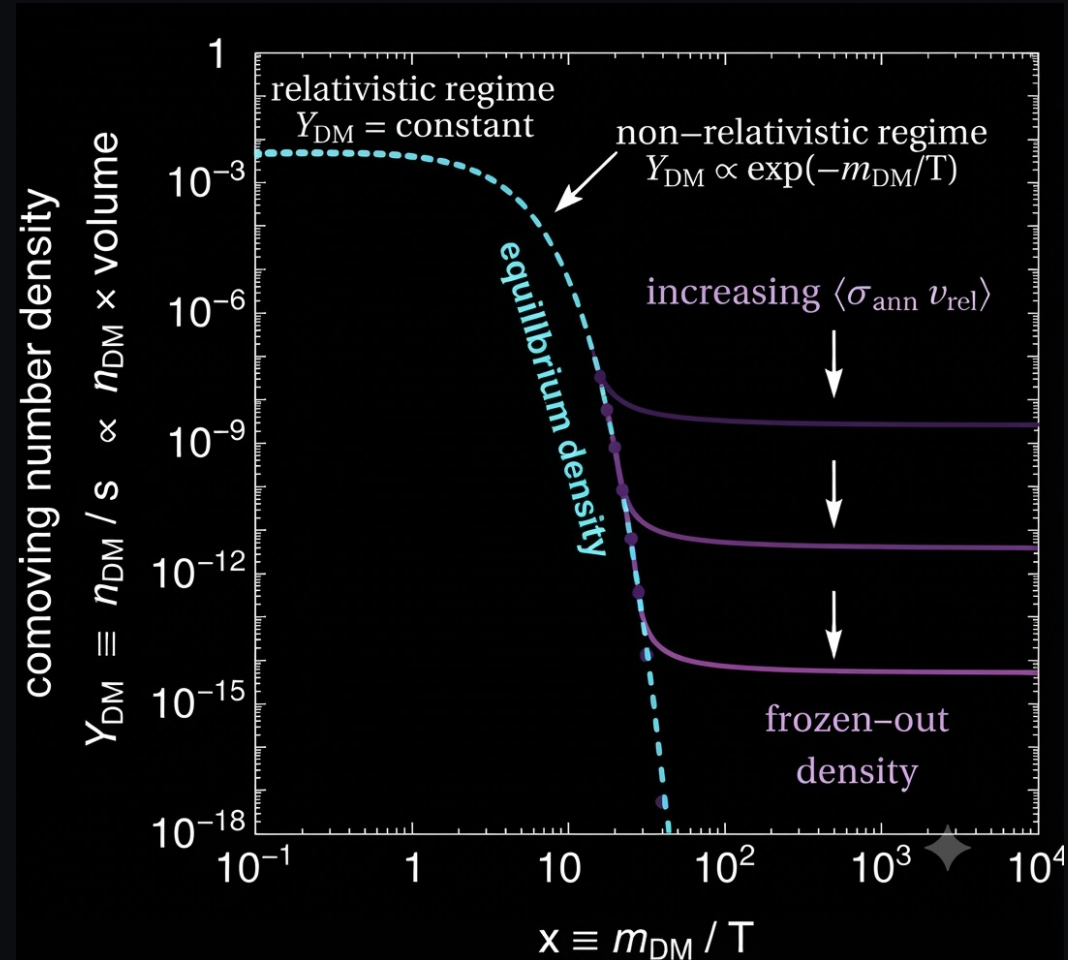
Relic abundance:

$$\Omega_{\chi} h^2 \propto 1/\langle \sigma v \rangle$$

Efficient annihilation leaves less dark matter

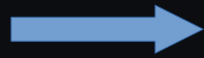
Freeze-out follows from the Boltzmann equation

$$\frac{dn_\chi}{dt} = -3Hn_\chi - \langle\sigma v\rangle(n_\chi^2 - n_{\text{eq}}^2)$$



The WIMP miracle links the observed DM abundance to weak-scale physics

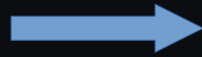
$m_\chi \sim 100 \text{ GeV} - 1 \text{ TeV}$
and $g \sim g_w$



$$\langle \sigma v \rangle \sim (\alpha_w / m_\chi)^2 \\ \sim 10^{-26} \text{ cm}^3/\text{s}$$

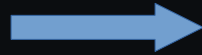
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Freeze-out gives
 $\Omega_\chi h^2 \propto 1/\langle \sigma v \rangle$



$$\Omega_\chi h^2 \sim 0.1$$

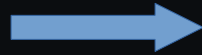
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Freeze-out gives
 $\Omega_\chi h^2 \propto 1/\langle \sigma v \rangle$



$$\Omega_\chi h^2 \sim 0.1$$

Remarkably close to the observed value!

Consider a 1 TeV stable particle whose interactions are set by a free coupling λ . What do you think will happen to its relic density as λ goes from 1 to 0?

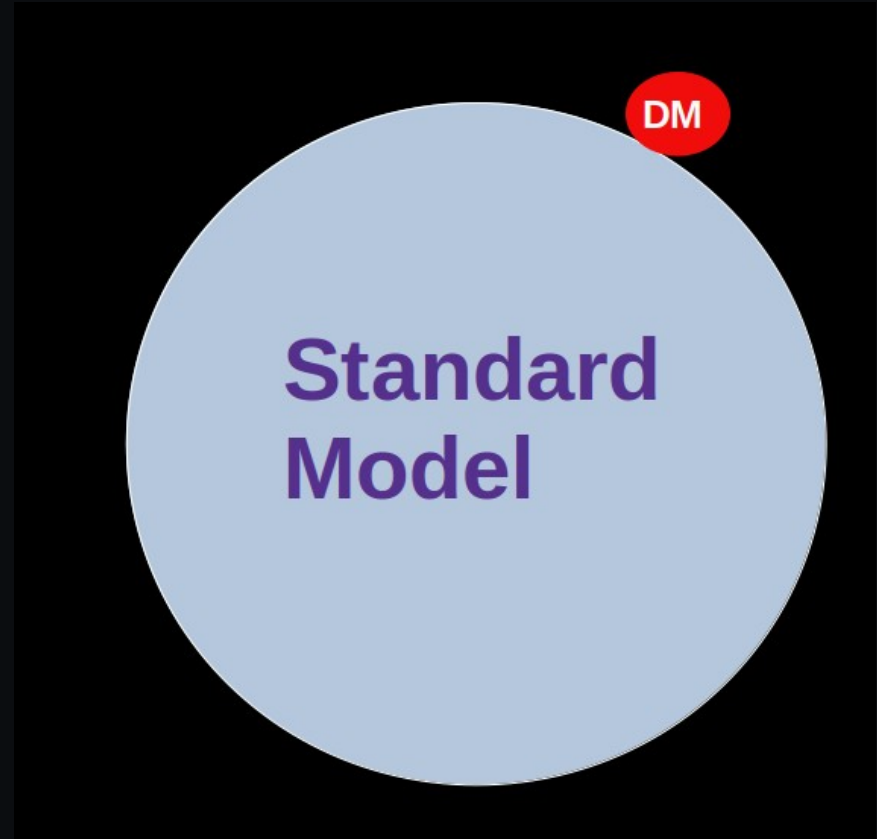
- A. goes up indefinitely**
- B. goes to zero monotonically**
- C. first increases, then goes to 0**
- D. first decreases, then goes to ∞**
- E. it does not change**

Minimal WIMP models are an appealing solution to the dark matter problem

Extend the SM, but minimally

Few new fields and symmetries

Simple and testable framework



**WIMP models often need a new
symmetry to ensure DM stability**

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Discrete symmetries

Z_2 : odd and even particles
e.g. R-parity in SUSY

The lightest odd particle
is stable

Z_N : multiple stable particles

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Discrete symmetries

Z_2 : odd and even particles
e.g. R-parity in SUSY

The lightest odd particle
is stable

Z_N : multiple stable particles

Gauge symmetries

$U(1)$: DM particle is charged
Charge conservation
can forbid its decay

$B-L$, $L_\mu-L_\tau$, $U(1)_{\text{Dark}}$

GUTs?

We add a real scalar singlet ϕ to the SM.
The new scalar potential contains

$$V \supset \frac{1}{2} m_\phi^2 \phi^2 + \frac{\mu_3}{3} \phi^3 + \frac{\lambda_\phi}{4} \phi^4 + \mu_{H\phi} \phi H^\dagger H + \frac{\lambda_{H\phi}}{2} \phi^2 H^\dagger H$$

with H the Higgs doublet. For ϕ to be a DM particle, which term should be absent?

A. none

B. ϕ^2

C. ϕ^3

D. ϕ^4

E. $\phi H^\dagger H$

F. $\phi^2 H^\dagger H$

G. C, E

H. D, F

The simplest DM model is probably the singlet scalar

Just one new field

A real scalar singlet, S

Odd under a Z_2

$S \rightarrow -S$, $\langle S \rangle = 0$

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Just one new field

A real scalar singlet, S

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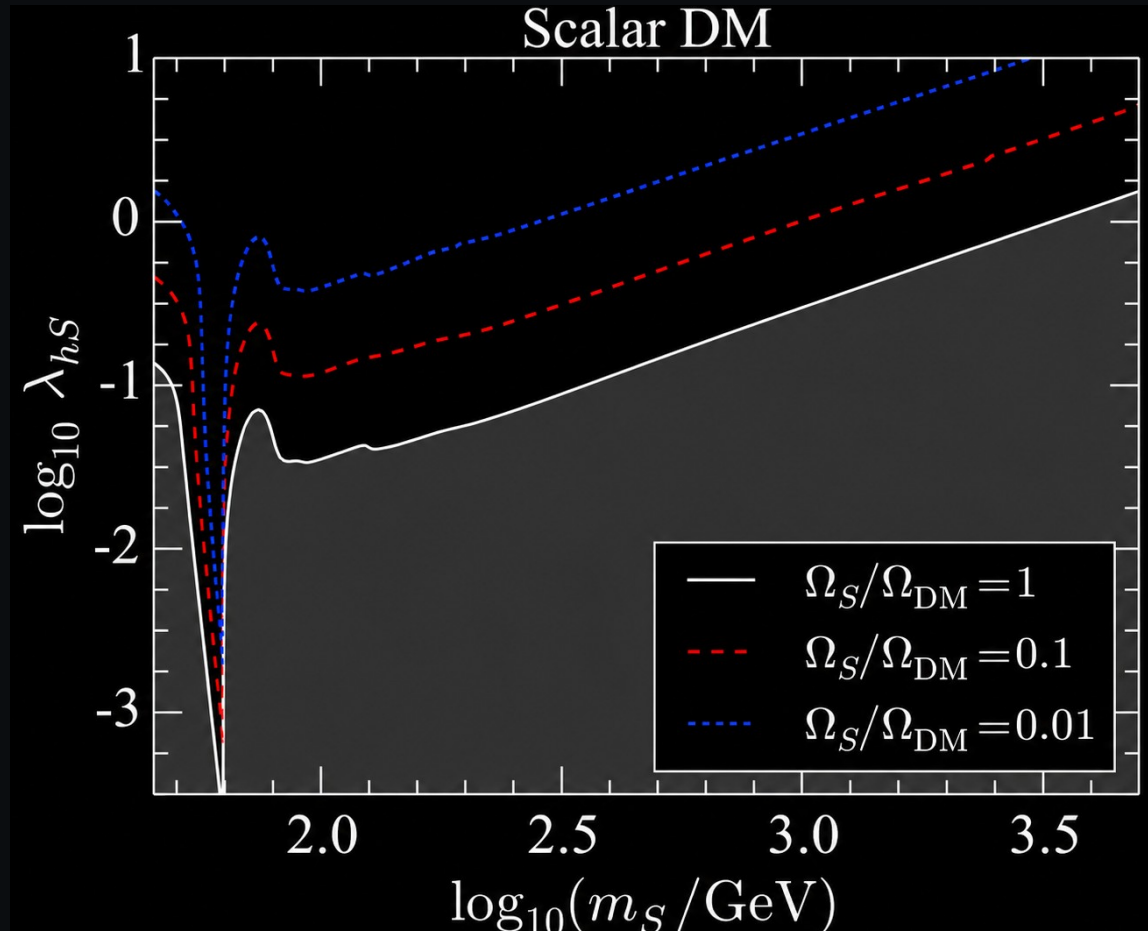
$S \rightarrow -S$, $\langle S \rangle = 0$

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \frac{1}{2} \partial_\mu S \partial^\mu S - \frac{1}{2} m_S^2 S^2 - \frac{\lambda_S}{4} S^4 - \frac{\lambda_{HS}}{2} S^2 H^\dagger H$$

We can now compute the S relic density via thermal freeze-out

It depends only on m_S and λ_{HS}

Requiring $\Omega_{\text{DM}} h^2 \approx 0.12$ selects a curve



Other models can be constructed along similar lines

Model class	Symmetry	New fields	DM candidate
Scalar singlet	Z_2	real scalar S	scalar S
Inert Higgs doublet	Z_2	second Higgs doublet H_2	neutral scalar
Singlet fermion portal	Z_2	fermion χ + mediator	fermion χ
Scotogenic model	Z_2	inert doublet η , fermions N_i	scalar or fermion
Z_N dark sectors	Z_N	scalars and fermions	multiple stable particles
Gauged $B - L$	$U(1)_{B-L}$	Z' , scalar, fermions	scalar or fermion
Dark gauge sector	$U(1)_D$	dark photon/ Z' , scalar or fermion	scalar or fermion

Let us now answer our opening questions

1. What is dark matter?
2. Why do we need it?
3. What makes a particle viable as dark matter?
4. Why are WIMPs a classic benchmark?
5. How can minimal WIMP models be built?

Dark Matter

I. Theory and Candidates

II. Direct and Indirect Searches

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UPTC, Colombia

Yesterday we answered the following questions

1. What is dark matter?
2. Why do we need it?
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Dark Matter

I. Theory and Candidates

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UPTC, Colombia

Gravity reveals dark matter's presence, not its particle identity

Gravitational evidence

Galaxies, clusters,
CMB, etc

Ω_{DM} , $M(r)$, ρ_{DM}

Particle searches

Sky and laboratory
signals

Mass, spin, interactions, etc

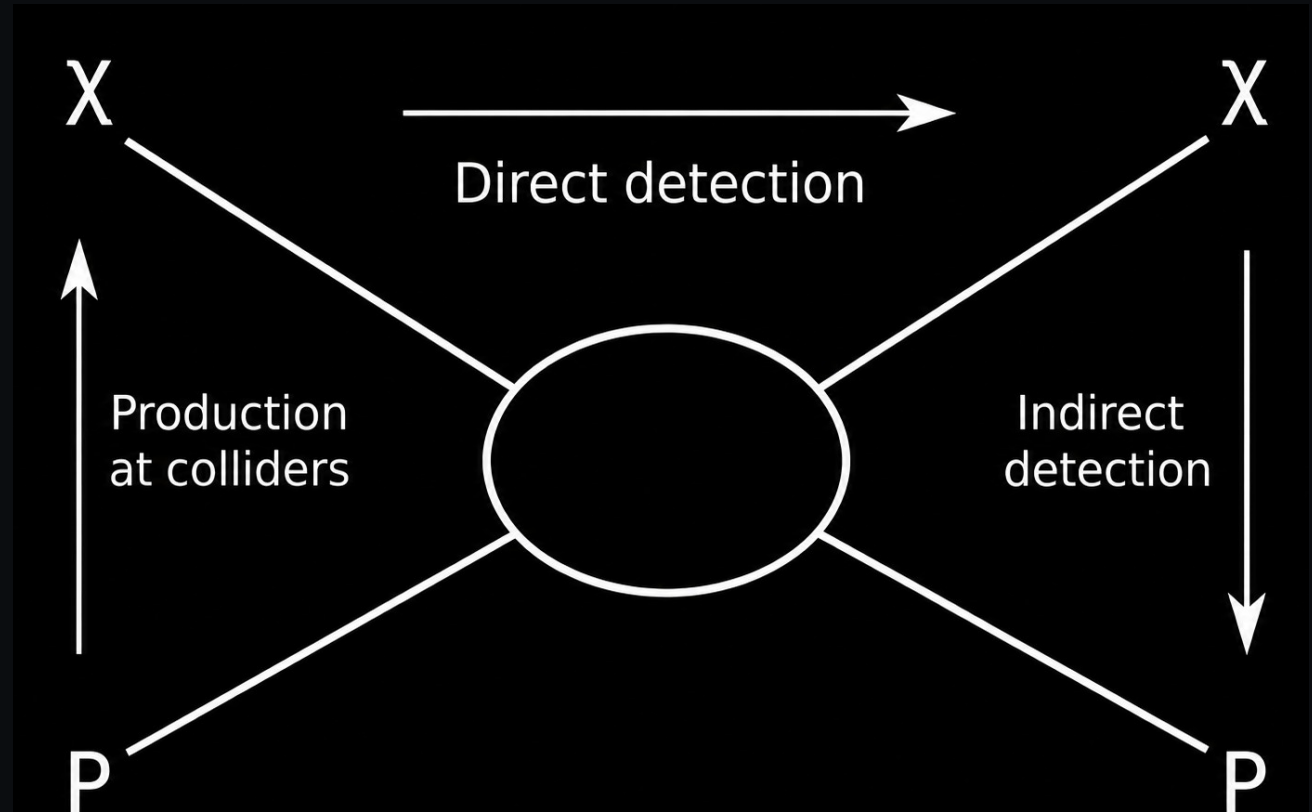
Detection means looking for non-gravitational fingerprints

WIMP dark matter could be detected in different ways

No confirmed signals so far

Just strong constraints

Future signals?



The search for dark matter is a worldwide effort



Direct and indirect searches look for different signals

Indirect detection

DM annihilation:

$$\chi\bar{\chi} \rightarrow W^+W^-, b\bar{b}, hh, e^+e^-, \dots$$

Products from the sky

Direct detection

DM scattering:

$$\chi N \rightarrow \chi N, \quad \chi e^- \rightarrow \chi e^-$$

Recoils in the lab

Complementary signals, different techniques

Which search strategy is closely related to thermal freeze-out?

- A. Direct detection
- B. Indirect detection
- C. Production at colliders
- D. A and B
- E. A, B and C

Indirect detection

Indirect detection relies on four basic principles

Annihilation today

$$\chi\bar{\chi} \rightarrow \text{SM particles}, \langle\sigma v\rangle$$

Density squared

$$\Gamma_{\text{ann}} \propto \rho_{\text{DM}}^2$$

Visible messengers

$$\gamma, e^{\pm}, \nu, \bar{p}$$

Signal vs background

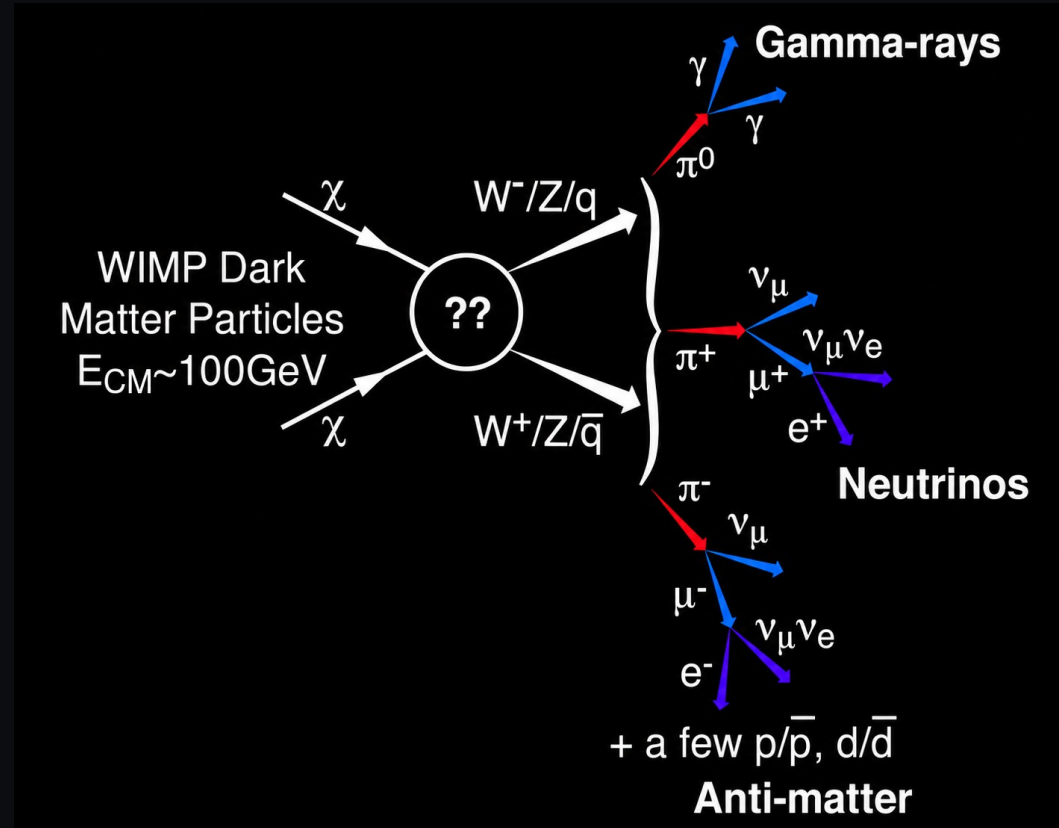
Dense, nearby,
quiet targets

The messengers are usually secondary products of DM annihilations

Gamma rays

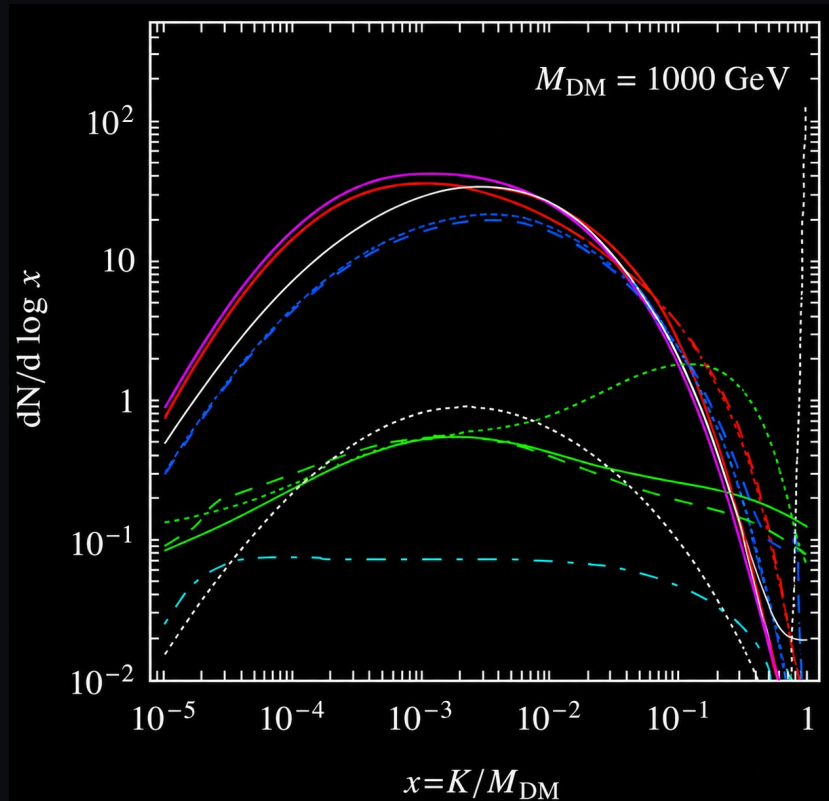
Antimatter

Neutrinos

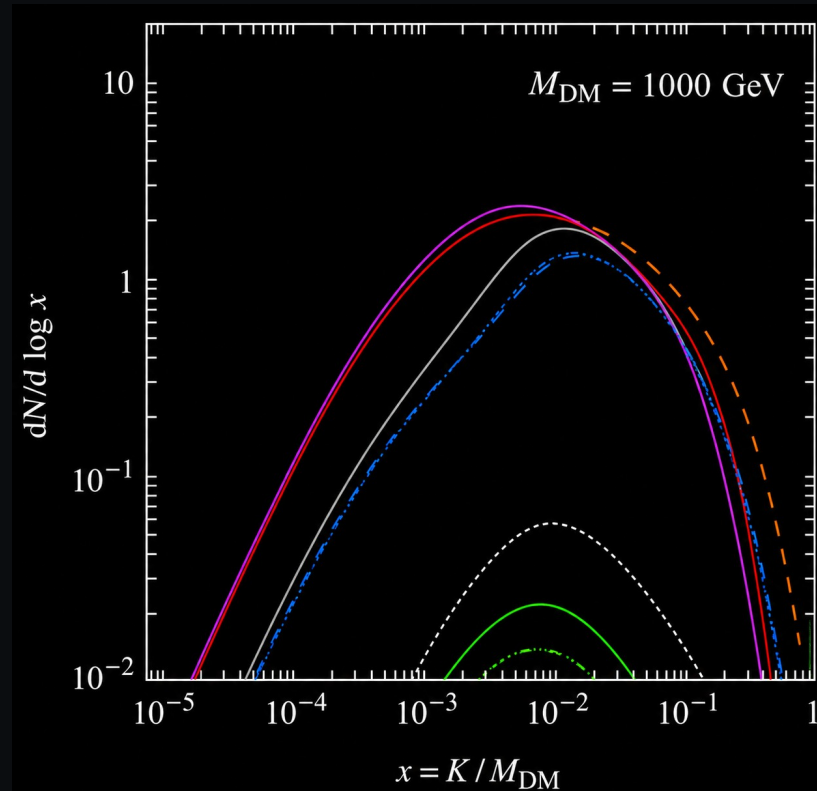


Each messenger requires a different kind of experiment

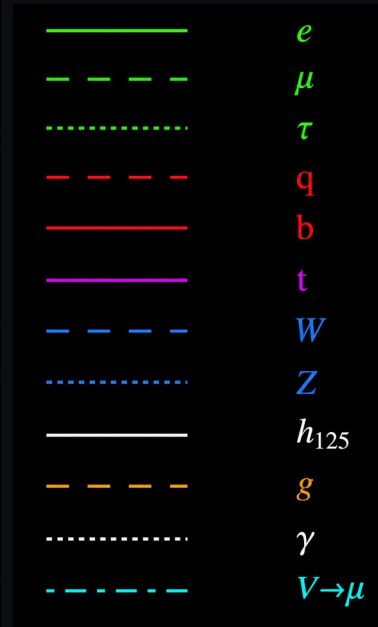
Each annihilation channel predicts a characteristic messenger spectrum



Gamma rays



Antiprotons



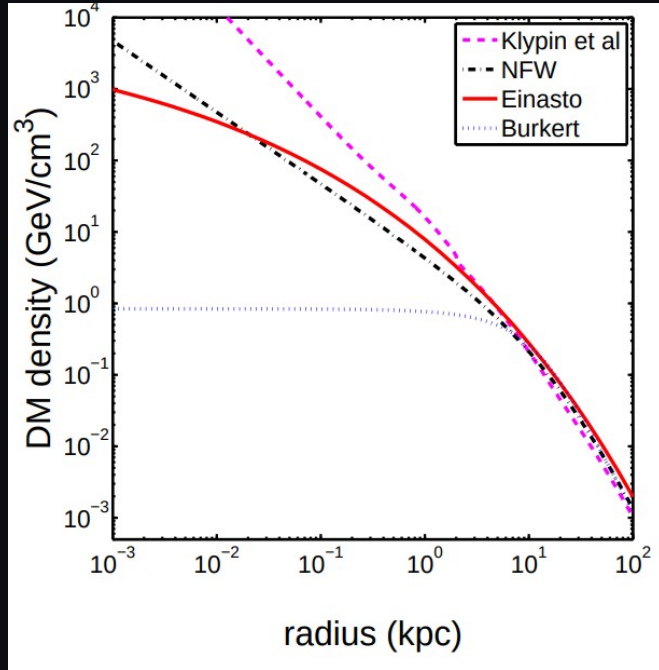
The expected γ -ray flux factorizes into three ingredients

$$\frac{d\Phi(\Delta\Omega, E_\gamma)}{dE_\gamma} = \underbrace{\frac{1}{4\pi} \frac{(\sigma_{\text{ann}} v)}{2m_\chi^2}}_{\text{DM properties}} \times \underbrace{\sum_i \text{BR}_i \frac{dN_\gamma^i}{dE_\gamma}}_{\text{Final-state spectrum}} \times \underbrace{\int_{\Delta\Omega} d\Omega \int_{\text{los}} ds \rho^2(s, \Omega)}_{\text{Astrophysics: J-factor}}$$

DM properties

Astrophysics:
J-factor

J-factors depend on the unknown dark matter distribution



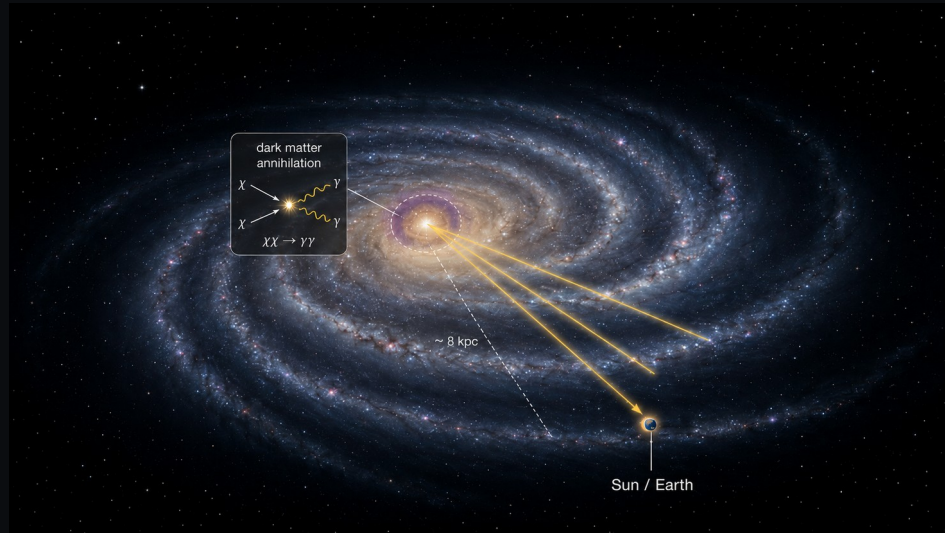
Halo profiles

Region	$\bar{J}_{\text{ann}}$		
	NFW	Ein	Bur
‘GC 0.1° ’	11579	3579	6.21
‘GC 0.14° ’	8255	3206	6.21
‘GC 1° ’	1118	1196	6.21
‘GC 2° ’	542	711	6.19

Same region, different J-factors

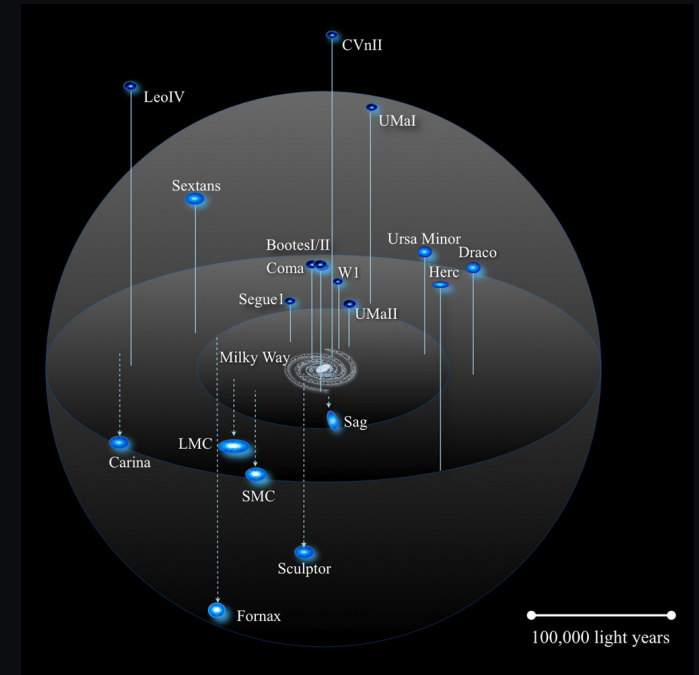
A larger J-factor does not automatically make a better target

Galactic Center



Larger J,
messy region

Dwarfs

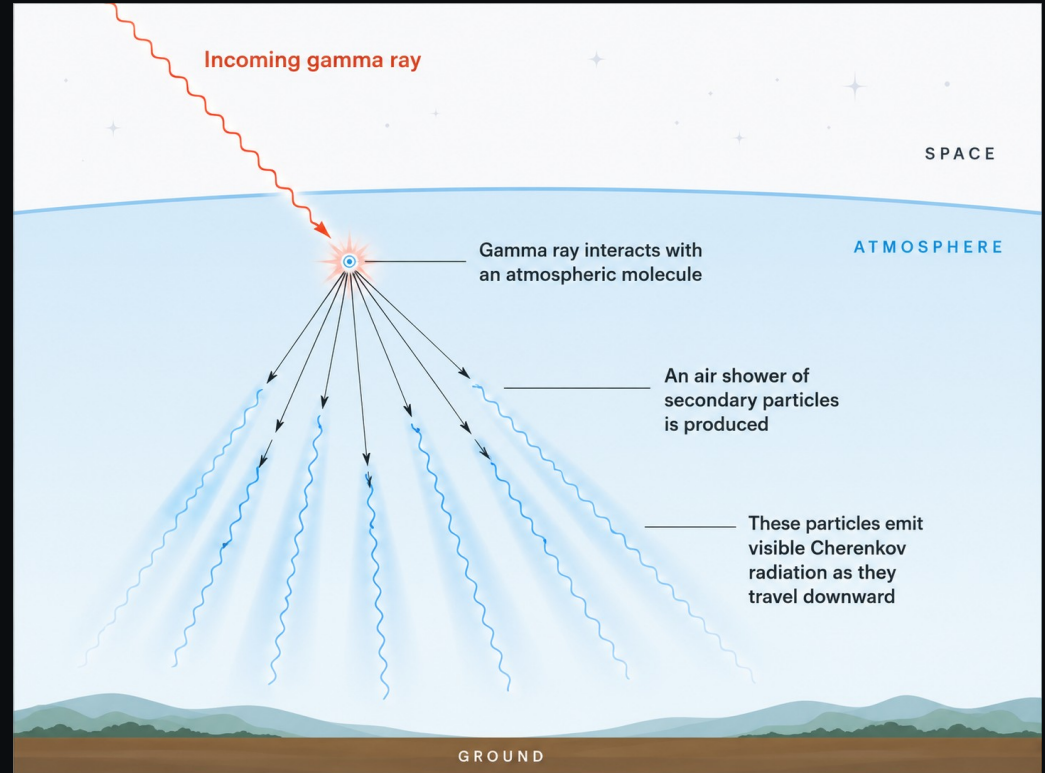


Smaller J,
cleaner target

γ -rays point back to their sources, but the atmosphere blocks them

Targets can be selected

How do we detect them?



Gamma rays are observed in two complementary ways

Space telescopes

Detect photons directly
MeV-GeV energies



Ground telescopes

Detect air-showers
GeV-TeV energies



Several dwarf galaxies show γ -ray excesses with the same spectrum, but no corresponding excess is identified toward the Galactic Center. What is the most reasonable conclusion?

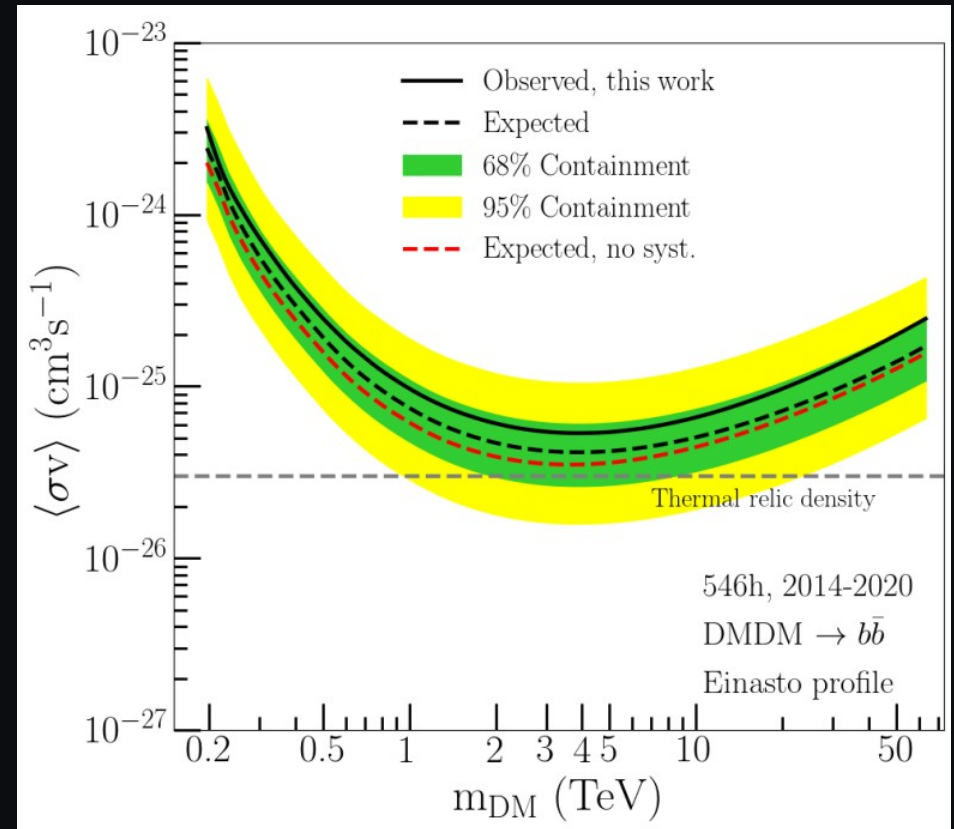
- A. Dwarfs have larger J-factors than the GC**
- B. Dark matter cannot explain the excesses**
- C. The excesses confirm dark matter**
- D. The GC signal may be hidden by backgrounds**
- E. The GC contains too little dark matter**

Gamma-ray limits constrain the DM annihilation cross section

One annihilation channel at a time

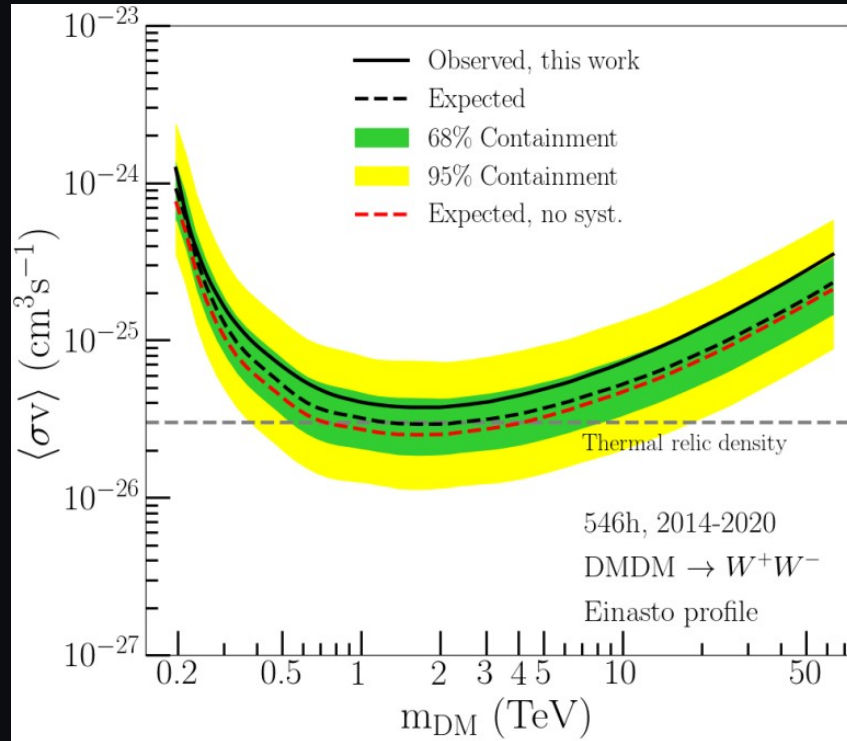
A halo profile is assumed

Above the curve is excluded

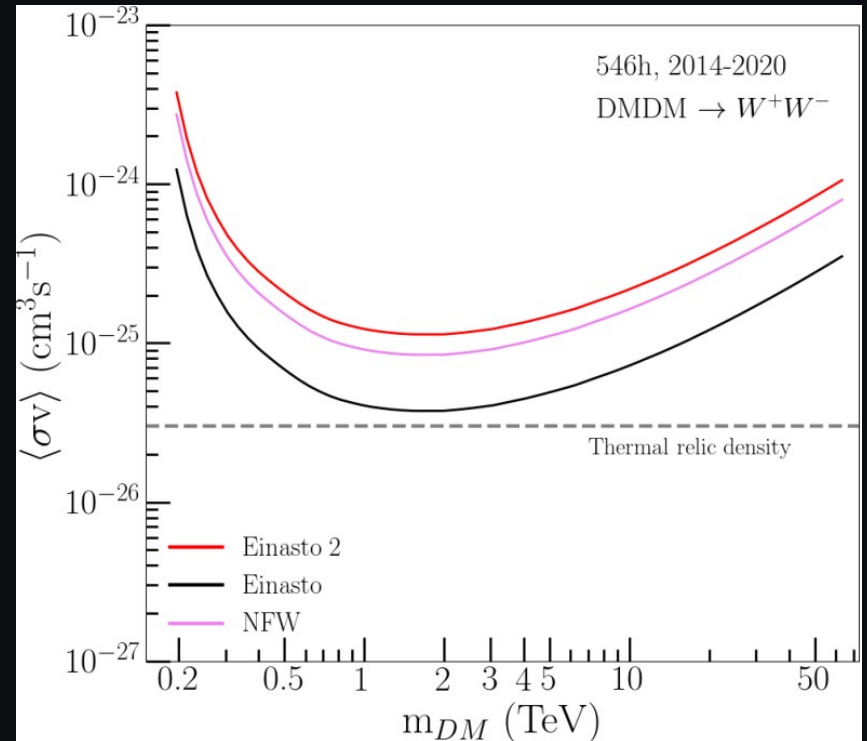


Galactic Center, H.E.S.S., 2022

Gamma-ray limits depend on the annihilation channel and halo profile



Different channel

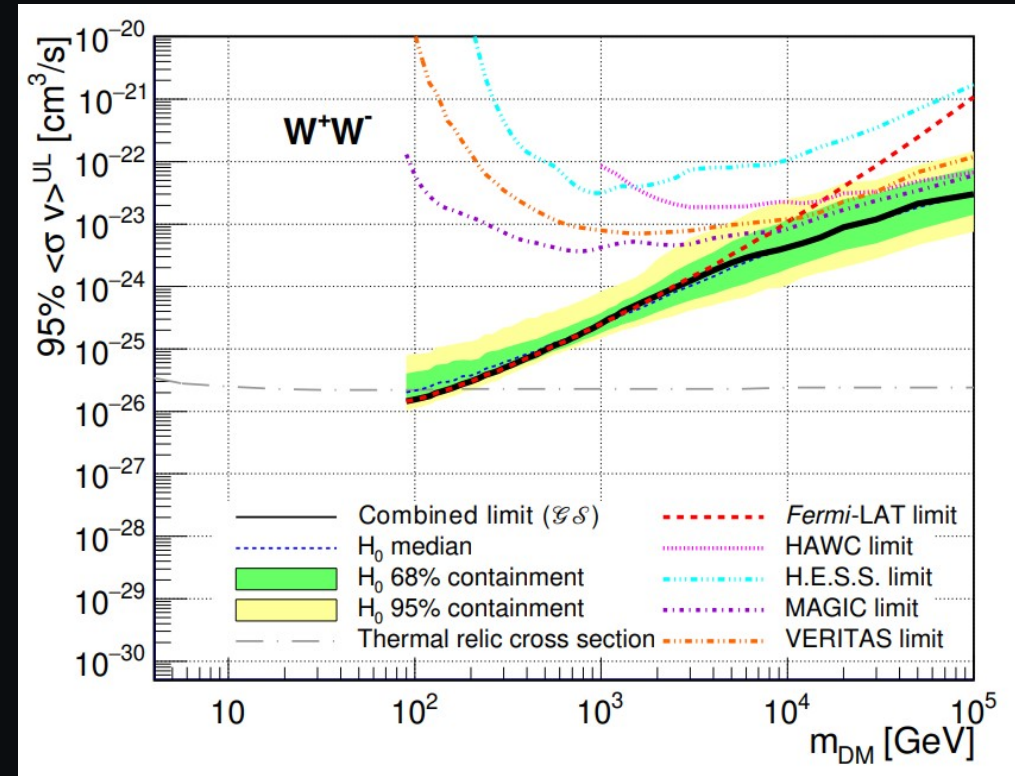


Different halo profiles

Dwarf spheroidals are clean targets for combined gamma-ray searches

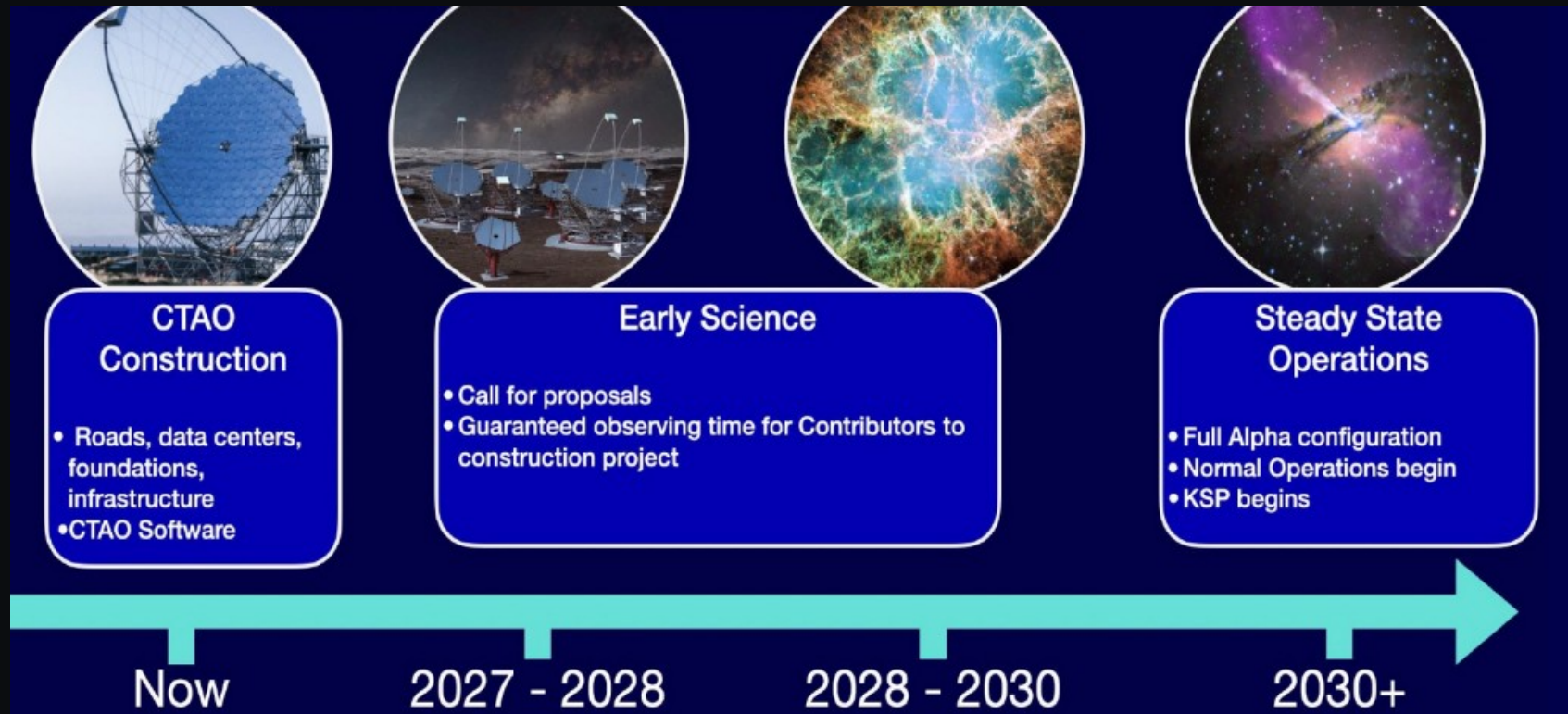
Low masses: Fermi-LAT dominates

High masses: ground observatories take over



The combined limit is stronger than individual ones

CTAO will be the next major step for gamma-ray dark matter searches

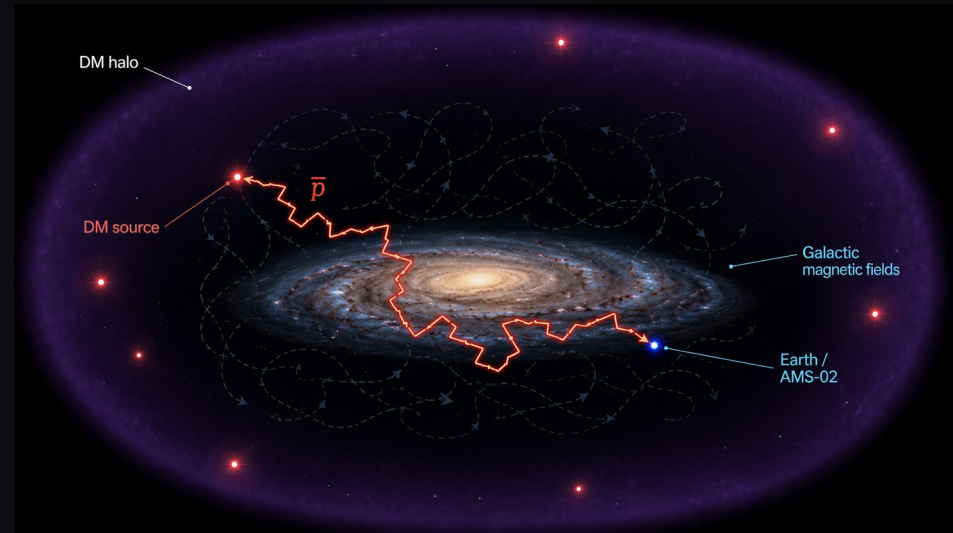


Its improved sensitivity is an opportunity for dark matter discovery

Antiproton limits depend strongly on Galactic propagation

Antiprotons do not point back to their source

Space or balloon detectors:
AMS-02, PAMELA, BESS



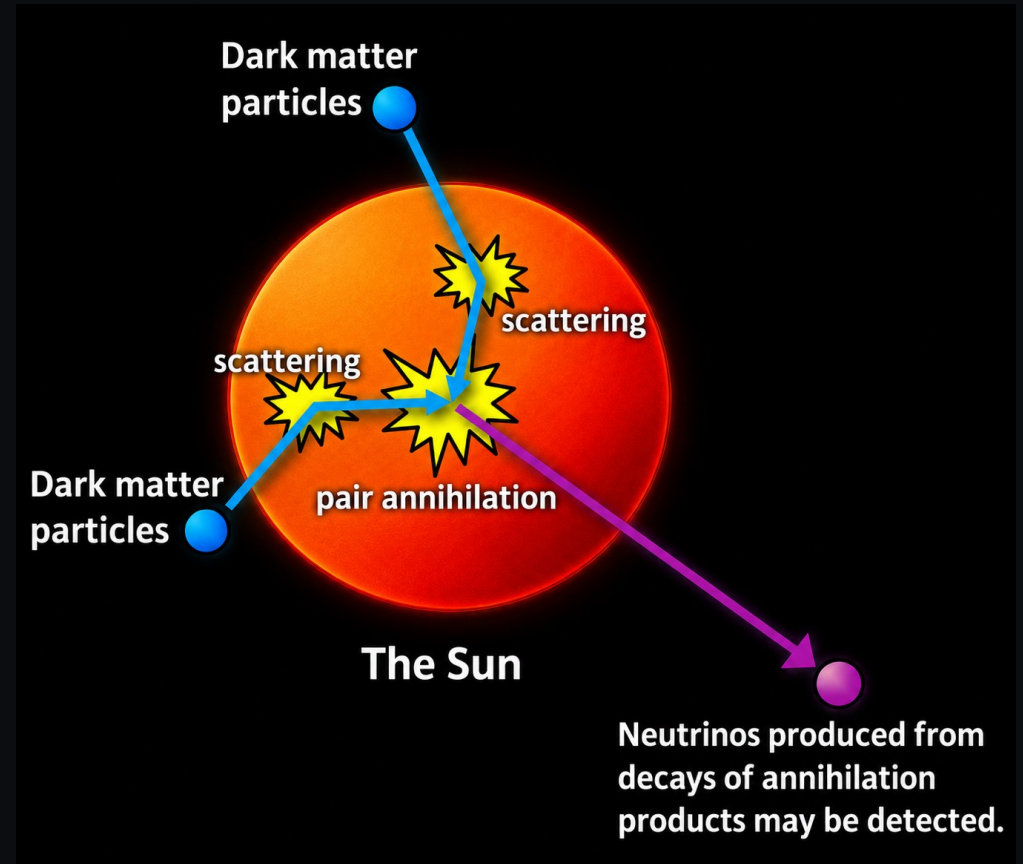
The measured spectrum is propagation-dependent

Neutrino telescopes search for dark matter captured in the Sun

DM scatters in the Sun

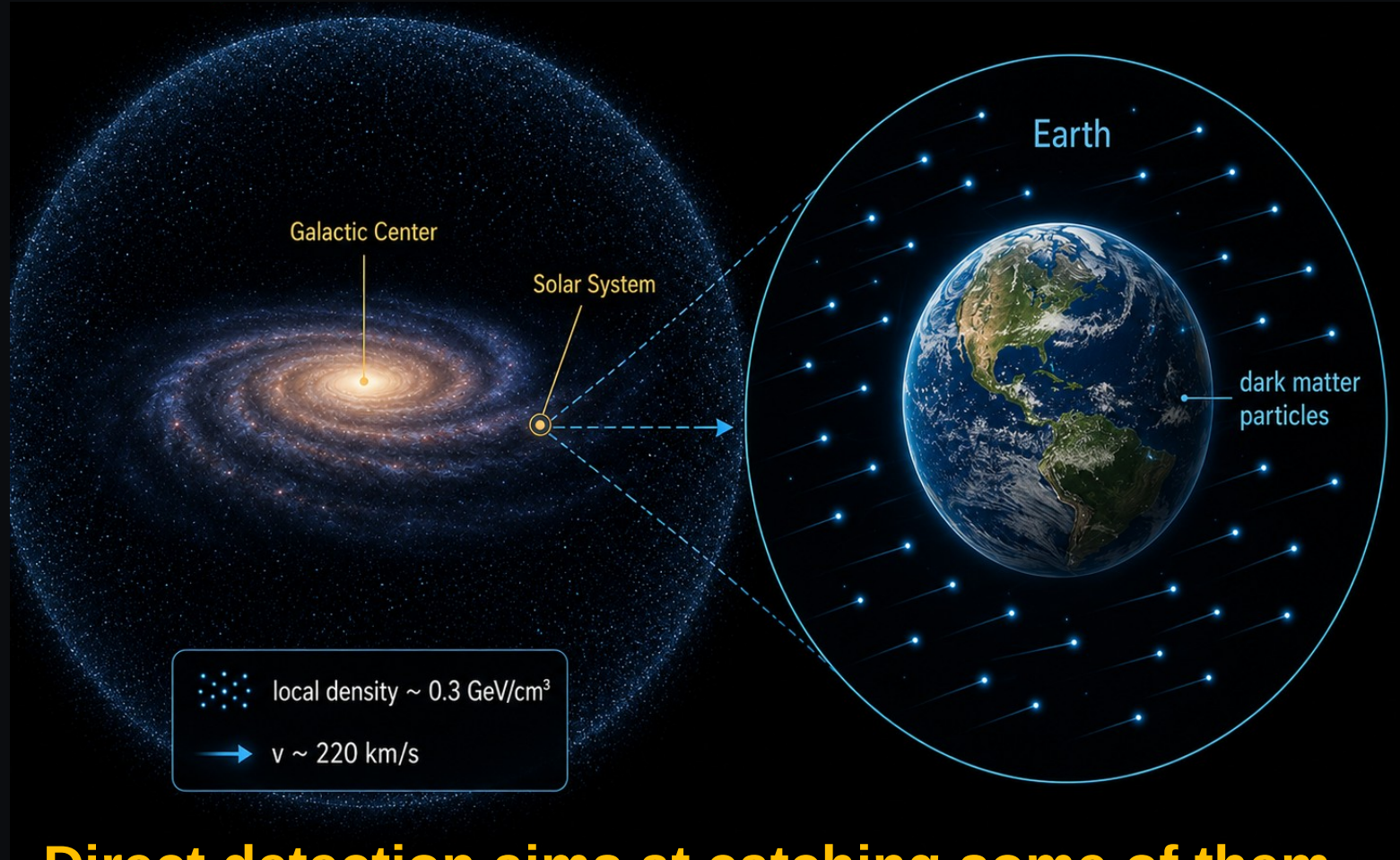
Captured DM annihilates

Only neutrinos can escape



Direct detection

Dark matter particles are all around us



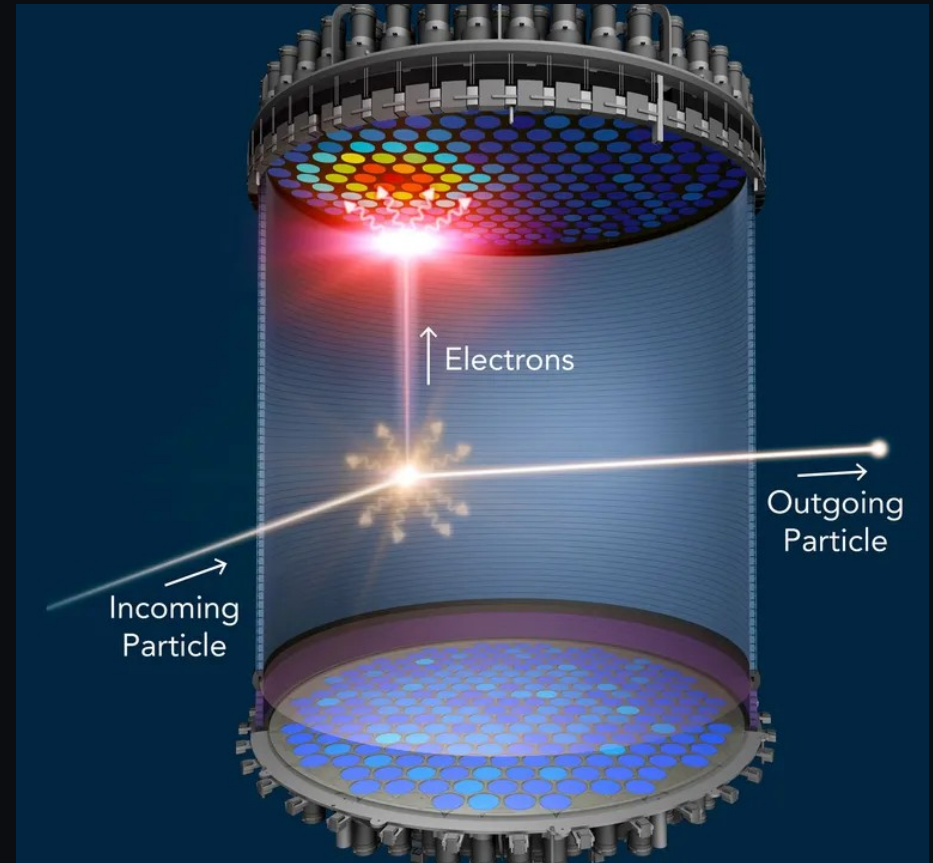
Direct detection aims at catching some of them

Direct detection looks for tiny nuclear recoils in underground detectors

A rare $\chi + N \rightarrow \chi + N$
event

Tiny nuclear recoil:
 $E_R \sim \text{keV}$

Deep underground:
low backgrounds



The recoil spectrum carries information about dark matter properties

$$\frac{dR}{dE_R} = \frac{\rho_0}{m_\chi m_N} \int_{v > v_{\min}(E_R)} d^3v \, v \, f(\mathbf{v}, t) \frac{d\sigma_{\chi N}}{dE_R}(v, E_R)$$

Astrophysics

$\rho_0, f(\mathbf{v}, t)$

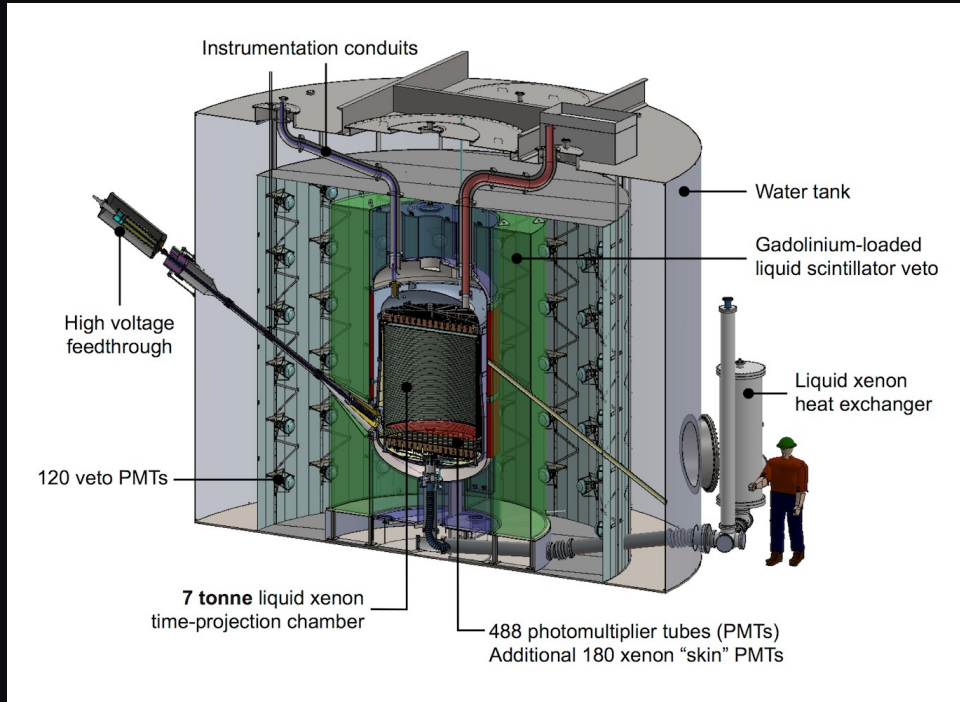
Detector

m_N, E_R

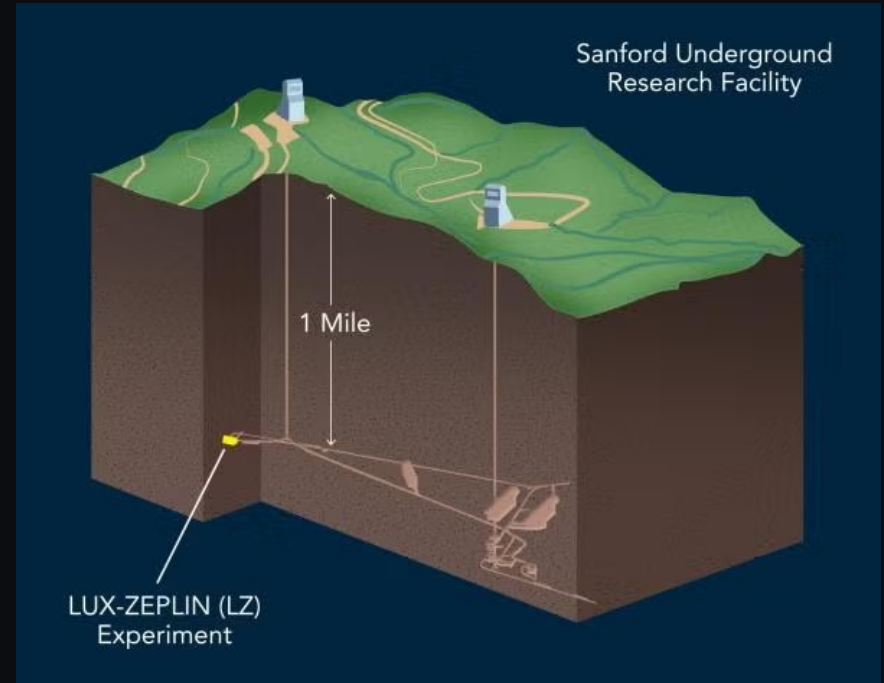
Dark matter

$m_\chi, \sigma_{\chi N}$

LZ currently sets the most stringent WIMP-nucleon scattering limits



7-ton Xenon target



Deep underground

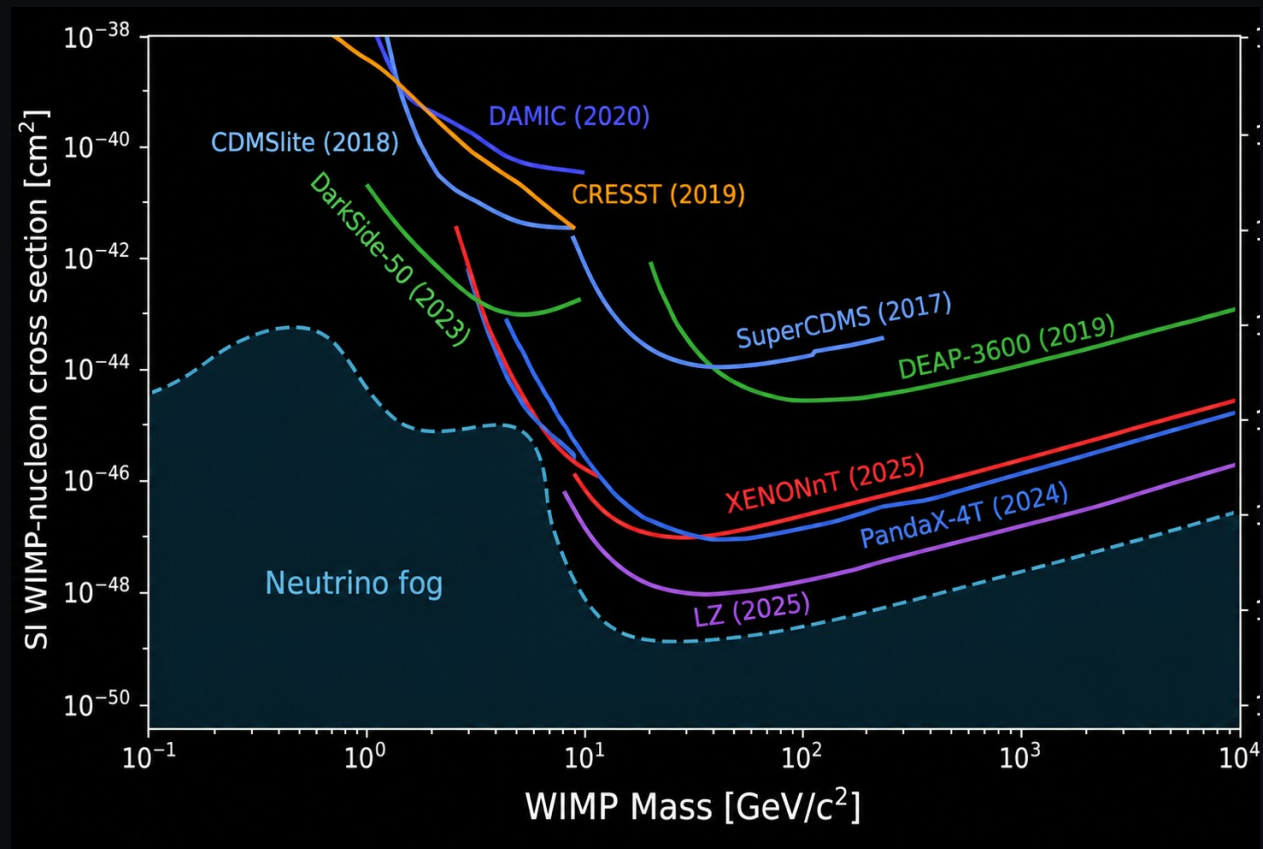
Direct detection limits have improved significantly over the past decades

Larger exposures

Lower backgrounds

New technologies

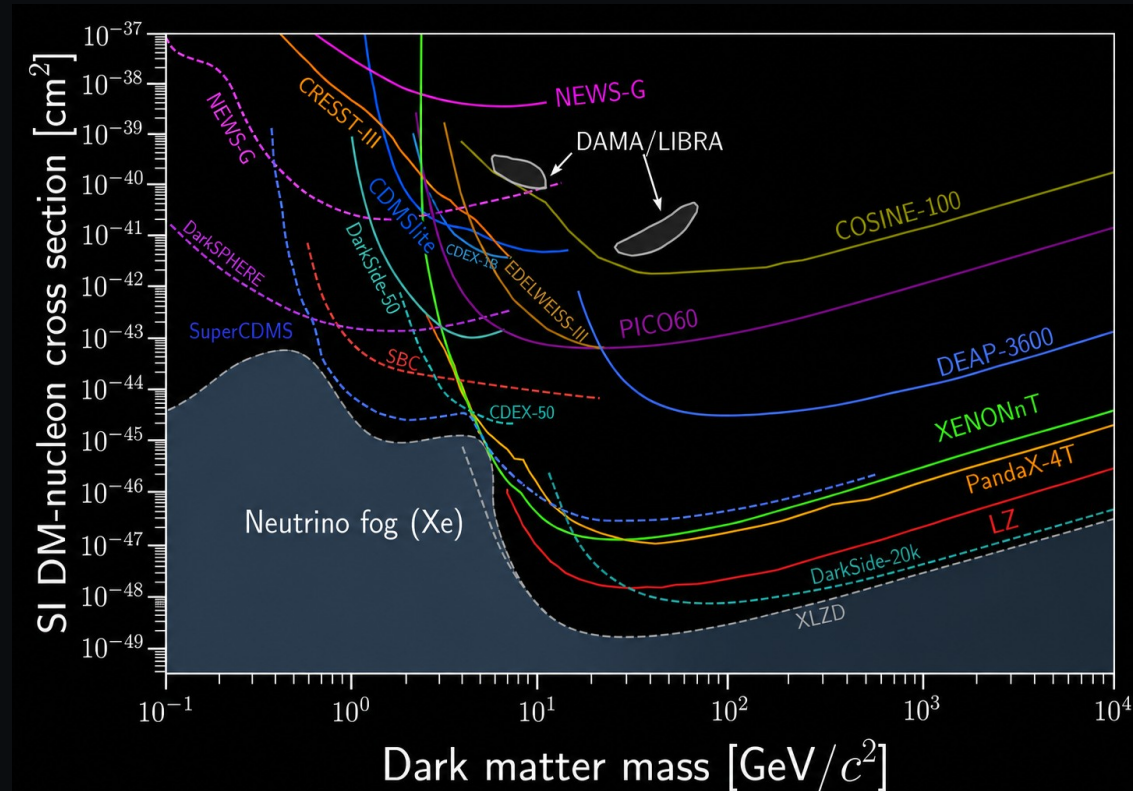
Lower thresholds



Future experiments will probe even smaller cross sections

Larger Xe and Ar detectors

Lower-threshold experiments



There is still room for discovery

Today we answered the following questions

1. In what ways can dark matter be detected?
2. Which signals do dark matter searches look for?
3. What determines the sensitivity of a DM experiment?
4. Which kinds of experiments are searching for DM?
5. What can DM searches teach us about its fundamental properties?